

1 Balloon drift estimation and improved position estimates for 2 radiosondes

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7 **Abstract.**

8 When comparing model output with historical radiosonde observations, it is usually assumed that the radiosonde has risen
9 exactly above its starting point and has not been displaced by the wind. This has changed only relatively recently with the
10 availability of Global Navigation Satellite System (GNSS) receivers aboard the radiosondes in the late-1990s, but even then
11 the balloon trajectory data were often not transmitted, although this information was the basis for estimating the wind in the
12 first place. Depending on the conditions and time of year, radiosondes can sometimes drift a few hundred kilometres,
13 particularly in the mid-latitudes during the winter months. The position errors can lead to non-negligible representation errors
14 when the corresponding observations are assimilated.

15 This paper presents a methodology to compute changes in the balloon position during its vertical ascent, using only limited
16 information, such as the vertical profile of wind contained in the historical observation reports. The sensitivity of the method
17 to various parameters is investigated, such as the vertical resolution of the input data, the assumption about vertical ascent
18 speed of the balloon, and the departure of the surface of the Earth from a sphere. The paper considers modern GNSS sonde
19 data reports for validation, for which the full trajectory of the balloon is available, alongside the reported wind. Evaluation is
20 also conducted by comparison with ERA5 and by conducting low-resolution data assimilation experiments. Overall, the results
21 indicate that the trajectory of the radiosonde can be accurately reconstructed from original data of varying vertical resolution
22 and that the more accurate balloon position reduces representation errors, and, in some cases, also systematic errors.

23 **1 Introduction**

24

25 Prior to the availability of remote sensing techniques, upper-air measurements of air motions were widely collected using
26 Lagrangian perspectives, with weather balloons (e.g., Dutton, 1986). The uncertainty of such upper air observations depends
27 not only on the measurements themselves but also on the availability and quality of associated metadata and measurement
28 position: this is generally associated with so-called representation errors (e.g., Kitchen, 1989). As weather balloons drift with
29 the wind during their travel, including ascent, they can thus be displaced over large distances (**Figure 1**), in some cases more
30 than 400 km from their launch base (e.g., Seidel et al., 2011). Precise knowledge of the balloon position is particularly
31 important in regions of steep horizontal gradients, e.g. near mountain ranges or near jet streams. Tschannett (2003) and
32 Steinacker et al. (2005) noted that apparent superadiabatic vertical lapse rates in Föhn events disappeared after the balloon
33 displacement had been taken into account. For operational monitoring, detailed information regarding the balloon trajectory
34 was generally not recorded or not transferred via the data distribution networks until the advent of Global Navigation Satellite
35 Systems (GNSS). Even later, when GNSS sensors became available, the information collected was often not transmitted,
36 although the wind data was calculated directly from it (WMO, 2021), as there was no available space in the alphanumeric
37 codes. This became possible with the (ongoing) migration from alphanumeric codes to Binary Universal Form for the
38 Representation of meteorological data (BUFR), allowing also the reporting of many more levels in the vertical (Ingleby et al.,
39 2016). Only since the mid-2010s is the balloon drift taken into account in modern observation processing of GNSS sondes,
40 with beneficial results (Ingleby, 2018).

41

42 Radiosonde measurements are used in a variety of applications, including near-real-time by forecasters and Numerical Weather
43 Prediction (NWP), but also for air pollution or other scientific investigations, including climate monitoring (e.g., Dabberdt and
44 Turtiainen, 2015). The production of climate reanalyses that directly assimilate radiosonde observations, such as ERA5
45 (Hersbach et al. 2020), is expected to benefit from more accurate historical balloon position data, similarly to NWP. In this
46 regard, the location precision of the assimilated measurements should be commensurate with the horizontal resolution (~10 to
47 20 km globally) of future reanalyses. At such resolutions, assuming vertical ascents for a balloon that is displaced by a couple
48 of hundred kms would amount to comparing the balloon measurements with model values that are 10 or more grid boxes away,
49 which is clearly suboptimal. Resolving this situation requires, for historical soundings, to reconstruct the balloon trajectories
50 from the little information that is available (Stohl, 1998). In many cases, this information only consists in the vertical profile
51 of wind, as discussed later in the paper.

52

53 Section 2 describes the data and a method to calculate the balloon drift from historical radiosonde ascent data. Details of the
54 technical implementation, with python code and test data, are provided in section 3. Section 4 presents validation results,
55 including several sensitivity analyses to explore the robustness and accuracy of the approach. Sections 5 and 6 show evaluation

56 results, using two different approaches, whereby the beneficial impact of the more accurate balloon position is demonstrated.
57 Section 7 includes a discussion and conclusions.

58 **2 Data and methodology**

59

60 **2.1 Radiosonde data**

61 Radiosonde data used in this work are obtained from the Integrated Global Radiosonde Archive (IGRA), Version 2 (Durre et
62 al., 2016) and via the Copernicus Climate Change Service (C3S) Climate Data Store (CDS). High-resolution radiosonde data
63 used for validation are obtained in BUFR format from the National Centers for Environmental Information Radiosonde
64 Archive (NOAA NCEI).

65

66 The quality of the available wind data depends on their encoding and the method used to track the balloons. Measuring
67 techniques for upper air winds have changed significantly over time, with a clear general trend towards improvements in
68 quality, thanks to removal of procedural errors, in particular (e.g., Crutcher, 1979), noting also improvements in the accuracy
69 of encoding, with evolution of the data formats. All these changes are described in the WMO Publication Nr. 8, Guide to
70 Meteorological Instruments and Methods of Observation, published since 1954 by the WMO Commission for Instruments and
71 Methods of Observation (CIMO; WMO, 2021). Regarding changes in the measurements of wind and balloon positions, there
72 are three important distinctions to be made.

73

74 The first distinction concerns the sensing apparatus: non-GNSS versus GNSS sondes. Early observations used only ground-
75 based tracking, e.g., by theodolite, which was fairly accurate but could lose the balloon early during cloudy or strong wind
76 conditions, and relied on an assumed ascent rate if, like in most cases, a single theodolite was used (e.g., Favà et al., 2021).
77 From the mid-1950s onward, radar tracking or radio-positioning of the radiosonde became standard. Wind was then calculated
78 from the measured position and time differences.

79 In the 1990s, GNSS modules were introduced, which can track the horizontal and vertical position of the sensor at high
80 frequency, thanks to improvements and miniaturisation of the electronics. The resulting data were then used to calculate the
81 wind variable in the data set, but the position data were not transmitted to the global network and are therefore not available
82 in the used input databases in most cases until 2014.

83 The higher frequency of observations exchanged in recent years can expose the pendulum motion of the sonde beneath the
84 balloon in its observed position (Ingleby et al, 2022). In our experimental cases, we did not observe any effect of the pendulum
85 motion, its magnitude is much smaller than the displacements, suggesting it does not appear to need to be taken into account
86 to first order.

87

88 The second aspect is the determination of altitude. Prior to GNSS observations, altitude was determined by three different
89 methods: ascent speed estimation, pressure sensors and vertical radar or radio-positioning, with continued efforts to increase
90 the quality of observations over time. Ascent speed can be affected by many factors, and Murillo et al. (2005) estimated a
91 scatter in linear ascent rates of about 5% about the mean value for pilot balloons, after using double theodolites to conduct
92 measurements to measure the balloon height during ascent.

93

94 The third aspect is the data format used for transmission. Essentially two main message systems have been used to transmit
95 the observed radiosonde data: Traditional Alphanumeric Code (TAC) and BUFR. The main difference is that BUFR allows
96 for a much higher vertical resolution (up to 1 second frequency, corresponding to approximately 5 m altitude difference), but
97 also a higher coding precision. The BUFR messages report wind direction with a resolution of 1 degree, whereas TAC
98 messages report wind direction to the nearest 5-degrees. Also time and three-dimensional position information is only
99 transmitted via BUFR but not with TAC. TAC messages typically also include data only on mandatory and significant levels.
100 Mandatory levels are a set of predefined pressure levels. Significant levels are added as needed before transmission so that the
101 wind speed does not deviate by more than 5 m/s from linearly-interpolated values, according to the above-cited WMO CIMO
102 guide.

103 There are also thermodynamically significant levels, which refer to specific levels of atmospheric pressure at which significant
104 changes in temperature, humidity or other thermodynamic properties occur. Most transmitted radiosonde profiles include some
105 of these.

106 **2.2 Quality control**

107 The following steps are taken to exclude outliers:

- 108 • The wind speed is limited to 150 m/s, a value that is rarely reached, even in strong upper-level jets.
- 109 • The temperature is limited to values between 173 K and 373 K.

110 Observations that fall outside these limits are not processed further, to avoid degrading the quality of the output (balloon
111 trajectory).

112 It was investigated whether additional quality control measures would improve performance and the validation of the RMSE
113 differences discussed in section 5. To improve outlier removal, we filtered the observations based on the 1st and 99th
114 percentiles of the observations minus the background from the ERA5 feedback. This was completed in two stages: once for
115 each level, and then again for the entire set of available wind speed and temperature data. However, neither of the two versions
116 improved the RMSE differences. Rather, we found that the background departures were often large enough to be discarded
117 just in the interesting cases of strong but plausible displacements. The results presented in section 6 include the standard quality
118 controls applied during data assimilation experiments, as detailed in the technical documentation published by ECMWF
119 (2023).

120

121 Filtering input data based on the number of available observations per profile is recommended. A profile should not be too
122 coarse and should not start too high above the ground. For the experiments conducted in this study, the limit for the initial
123 observation was set at 1500 m above the release station height.

124 **2.3 Estimation of the balloon trajectory**

125 The balloon position is calculated relative to the launch position (so-called base coordinates), as latitude displacement and
126 longitude displacement (decimal degrees). For each vertical level, these two values can be added to the base coordinates to
127 obtain the new (latitude, longitude) position at the given level. The same approach applies to the reconstruction of the
128 measurement times at all levels. This practice conforms to the BUFR encoding standard.

129

130 For the position calculation, the same simple physical laws that have been used to derive the reported winds are applied. Only
131 a few initial parameters are necessary for this:

132

- 133 ● station coordinates or starting point of the sonde, here called base coordinates (latitude and longitude);
- 134 ● wind vector (zonal and meridional components, noted respectively u and v), measured by the sonde at different
135 pressure levels;
- 136 ● measurement time (t) at different pressure levels.

137

138 These variables enable calculation of how long the sonde was exposed to horizontal wind, and therefore can be used to estimate
139 the displacement of the sonde.

140 Especially older datasets often only contain the starting time of the ascent, time information is not available for any of the
141 reported pressure levels.

142 To estimate the time elapsed since the release of the balloon, three variables are needed:

143

- 144 ● the reported pressure levels (generally available from radiosondes) or heights (generally available from so-called
145 PILOT balloons, also called PIBAL),
- 146 ● the sonde ascent speed.
- 147 ● the surface pressure or station height (not strictly needed for displacement calculation since first level is typically
148 reported quite close to the surface)

149

150 PILOT or PIBAL profiles provide an estimate of height at each level, from which the time at each level can be reconstructed,
151 assuming a given ascent speed. However, for multivariate soundings (radiosondes reporting temperature and wind), observed
152 pressure is often the only information available regarding the radiosonde vertical position. In such a case, the pressure profile

153 needs to be transformed to a height profile. This can be done assuming a piecewise constant temperature gradient between the
154 layers of the profile. The calculation of the vertical gradient of temperature with respect to altitude from the vertical gradient
155 of temperature with respect to pressure is shown below in **Formulae 1** and **2**. Subsequently, **Formula 3** indicates how this
156 information is used to determine the heights of all pressure levels. If the height information is already available (e.g. PILOT
157 data), those steps can be skipped.

158
159 The vertical resolution of the available data varies. While early ascents often contain even less than the mandatory levels (16
160 levels), recent data in high resolution BUFR are available on 3000 levels or more. The sensitivity of displacement calculations
161 to vertical resolution is investigated later in this paper.
162 If a single mandatory level is missing within the ascent range, then the displacements are not calculated; we consider that too
163 much information is missing in such a case. If a level was not mandatory in historical data (e.g. 70 hPa, 250 hPa, 925 hPa),
164 this rule does not apply to the data. However, an early termination of the vertical ascent is not an issue, then the displacements
165 are only calculated up to the highest available level.

166
167 The determination of the sonde's ascent speed is more uncertain. It depends on some variables that are poorly determined or
168 unknown, such as the air vertical wind speed and the weight to buoyancy ratio of the probe and the balloon. Deviations in the
169 filling level of the balloon, the air resistance of the balloon skin, as well as the ambient temperature and the balloon gas
170 temperature further influence the ascent speed. A review of some of these factors was made by Favà et al. (2021).

171
172 Using data from recent sondes, our study of the data with known altitude time series indicates that the rate of ascent varies
173 mostly between 2 and 10 m/s. Within this large range, **Figure 2** shows that the mode of the distribution of ascent speeds is
174 around 5 m/s. **Table 3** further indicates that the interquartile range is 2 m/s (i.e., from 4 m/s to 6 m/s). These findings are
175 consistent with other sources (e.g., Seidel et al., 2011). These statistics represent global fluctuations in the ascent speed of
176 weather balloons.

177
178 Over short time scales, **Figure 3** indicates the vertical velocity of the probe fluctuates substantially. This is true both within a
179 single ascent and also between different ascents. Near the ground and above the tropopause the fluctuations are largest.

180
181 Given the considerations above for historical balloons, one must recognize that the vertical speed can only be estimated in
182 most cases, and will always lead to significant deviations as compared to measurements obtained from high resolution ascents.
183 Note the high vertical resolution shown in **Figure 3** is hardly reached in ascents before the year 2000. This also means that if
184 only mandatory levels are available, the fluctuations in average ascent speed at each available level are smaller, due to the
185 longer averaging intervals.

186

187 **Figure 2** and **Figure 3** show that an assumed ascent rate of 5 m/s agrees well with the observed mean value. To counteract the
188 effects of this fluctuating parameter, an attempt was made to use a height-dependent function instead of a constant speed,
189 which represents the annual average over more than 100 stations.

190
191 As part of this experiment, a polynomial model was also used to improve the accuracy of the average ascent speed. The
192 resulting displacements showed, however, very little improvement, indicating that the assumed vertically constant ascent rate
193 of 5 m/s is a sufficient approximation.

194
195 As a next step it is necessary to calculate the height profile from temperature and pressure information using the formula for a
196 dry atmosphere with piecewise constant lapse rate (Alexander, P., 2011). Relative humidity could also be considered by using
197 the virtual temperature, but, since it is often not available for early ascents and the differences in resulting displacements are
198 small, the air temperature is used in the equation of state. For the first level, the International Civil Aviation Organization
199 (ICAO) standard atmosphere lapse rate of -0.0065 K/m is used. For all subsequent steps, the temperature gradient is calculated
200 directly from the temperature and pressure profile (mean values for each layer “i”).

201
202 The height profile is then used to calculate the time interval spent by the sonde between the noted levels. It can be estimated
203 using the estimated vertical velocity mentioned earlier.

204 These time intervals are then used to determine the transport of the balloon according to the mean wind inside the layer between
205 the levels i to $i + 1$, see **Formula 4**.

206
207 Afterwards, this distance is converted into latitude and longitude using either the inverse Haversine method on an assumed
208 sphere, or the forward transport function on the "WGS84" ellipsoid. The difference between the two transport functions is
209 found to be practically invisible for smaller observed displacements (see **Figure 4**). Nevertheless, the ellipsoid option is used
210 as it should deliver higher accuracy results. Finally, the resulting latitudes and longitudes are subtracted from the base
211 coordinates to obtain the displacements.

212
213 Particular care is required when using reported wind direction near the North or South Pole. For example, when crossing the
214 North Pole, a radiosonde in a southerly airflow (prior to the crossing) finds itself in a northerly airflow (afterwards). So far,
215 only TAC has been used at the South Pole station, which means that the wind components are reported according to the launch
216 position, not to the actual position, and is thus constant during the ascent. We calculate the displacements in x and y direction
217 valid at this position and then convert that back to lat/lon positions and displacements. The displacement calculations data have
218 been checked specifically for this issue and no problems were found.

219 Although the principle of displacement calculation is similar to the method presented in earlier work on this topic (Laroche
220 and Sarrazin, 2013), we use different input data for height information. Instead of using the average ascent time for each

221 standard level, we calculate the times for each available level using the mean lapse rate for the representative layer.
222 Aberson (2017) applied a similar approach for dropsondes, albeit with a different way of calculating the vertical velocity.
223 Both of these methods are successful and promising, and for the purpose of this method they have been used as the basis for
224 reconstructing the trajectories as best as possible.
225

226 **3 Implementation and availability**

227 The software necessary for the creation of calculated balloon trajectories can be found in the Python package rs-drift:

- 228 • <https://zenodo.org/records/10663306>
- 229 • <https://pypi.org/project/rs-drift/>

230 Examples on how to use it are available in all repositories as an IPython notebook “rs_drift_example.ipynb”.

231
232 In addition to the coordinates of the launch site or station in degrees latitude and longitude, the trajectory function requires
233 profiles of four input variables: temperature [K], pressure [Pa], zonal wind (u) [m/s], meridional wind (v) [m/s]. It accepts only
234 input which is sorted in ascending order.

```
235 trajectory = rs_drift.drift.trajectory(lat, lon, temperature, u, v, pressure)
```

236 The function returns the following output:

```
237 trajectory == [latitude_displacement, longitude_displacement, seconds_since_start]
```

238 All those output variables are numpy arrays, with one element for each pressure level - with the same length as the input data.
239 For PIBAL ascents, the geopotential height must be provided as an additional keyword parameter.

240
241 It is possible to experiment with input data. If humidity information is available, the virtual temperature can be used instead of
242 the observed air temperature. Also if more information of the balloon’s mean ascent rate is present, this should be used as input
243 in the additional arguments. Any approach including proper quality control of input data that is available should be used to
244 create the best possible estimation of the balloon drift.
245

246 The drift of the balloon and sonde compounds is introduced as "displacement" from the starting point (launch site). For
247 simplicity, the displacements can be added to the base coordinates to obtain the vertical profile of positions of the balloon.
248

249 4. Validation with GNSS radiosondes

250 Validation per se is only possible when a trusted source can provide a good reference. Such is the case for modern sondes
251 equipped with GNSS receivers, when it comes to the recovery of the balloon trajectories. For pre-GNSS radiosondes, a similar
252 validation would be possible, if only one had available the information about the balloon trajectory. Unfortunately, this
253 information is available only in rare cases.

254

255 The data from the modern GNSS radiosonde data encoded in the recent high-resolution BUFR files are used to verify the
256 systematic and random errors of the calculated displacements at different pressure levels. This data set contains second-by-
257 second records of actual positions of the sonde measured by GNSS in the form of displacements, thus enabling the direct
258 comparison with the calculated displacements.

259

260 **Figure 4** also shows that the displacements obtained from GNSS and the displacements calculated from the wind data agree
261 quite well. The small deviations likely come from differences between the actual (unknown) and assumed (5 m/s) ascent rate.

262

263 **Figure 5** provides an overview how large the displacements typically are and gives profiles of uncertainty estimates for the
264 calculated displacements. In the troposphere the RMSE is mostly below 0.02 degrees (2.5 km), in the stratosphere it can be up
265 to 0.1 degrees (12 km). These numbers amount to uncertainties of about one part in five to ten, of the observed variations
266 (RMS), in the example shown. Still, this is much better than just ignoring the displacement.

267

268 These results were obtained by using as input the high-resolution data. For historical radiosondes, only comparatively low-
269 resolution information is available (in the form of mandatory plus significant levels).

270 In **Figure 6** and **Figure 7**, the impact of using only mandatory and significant level information is shown. The difference of
271 displacements in **Figure 6** is minimal, although the displacement is relatively large.

272 **Figure 7** shows a case of larger differences in relative terms. The overall zonal displacements are large and the winds vary
273 strongly with altitude. An issue arises when selecting data points with low representativeness from the ascent, particularly
274 those that are far from the layer average. This can result in less accurate outcomes compared to using averages from less
275 detailed data. Figure 7 provides a good example of this issue with the v component of wind at original resolution and mandatory
276 pressure levels only. The method of calculating the displacements itself uses mean wind speeds within the considered levels.
277 Thus, if the observations are also means of larger vertical height differences, more or less randomly observed peaks become a
278 smaller source of error.

279 Figures 6 and 7 respectively show the range of accuracy of the calculated trajectories quite well. The final displacements may
280 differ in quality depending on the quality of the observations, the representativeness of the available levels, and the vertical
281 resolution. All ascents in the validation examples had displacements, which added value in bringing the observation closer to

282 the true position. The accuracy may vary based on the aforementioned input variables. However, we did not find any case
283 where using the displacements would lead to a worse position estimate.

284

285 **Figure 8** shows the comparison between the displacements of two different data sets - on high resolution BUFR levels and on
286 the other hand on mandatory levels only. It can be seen that for this subset of ascents there is still much value in the
287 displacements for the mandatory levels only version. However, it should be noted that more available levels always lead to
288 better results and the highest possible number should be used in any case.

289

290 Many of the older observational reports contain temperature and wind data on different levels. Only at mandatory levels both
291 variables are available. In this case, interpolation can be performed for the points in between. When applied to IGRA data,
292 wind data are interpolated to levels of the temperature observations. This allows the input to be maximised to calculate the
293 best possible displacements.

294

295 **5. Evaluation with ERA5**

296 To evaluate the impact of taking the displacements into account, we compared the observed values from the radiosondes with
297 the gridded ERA5 data, in one case assuming a strictly vertical ascent, and in the other case assuming an ascent along the
298 calculated (slanted) trajectory defined by the displacements. The ERA5 fields at hourly resolution and $1^\circ \times 1^\circ$ horizontal
299 resolution were interpolated linearly horizontally to the observations locations defined in either of the two cases mentioned
300 earlier (vertical or slanted).

301 These tests and comparisons used the short term forecast of the ERA5 assimilating model, also referred to as "background".
302 This choice, instead of using ERA5 analyses, was made to try to maintain as much independence as possible with respect to
303 the observations. This choice should largely avoid possible problems resulting from the fact that the observations are also
304 assimilated into the ERA5 data, given that many other observations were assimilated alongside radiosondes and also influenced
305 the analysis state. Experimental comparisons to the ERA5 analyses showed that the analysis data fits significantly better with
306 the vertical trajectory of observation than with the slanted version. This is to be expected, since radiosondes were assimilated
307 as vertical profiles in ERA5.

308

309 **Figure 9** shows the benefit of comparing the radiosonde observations with the *background forecasts* as slanted profiles instead
310 of vertical profiles. In low layers (below 700 hPa), the displacements are relatively smaller than at higher levels, and therefore
311 hardly lead to deviations for temperature. In most cases, there is an improvement at levels located above 750 hPa, though at
312 some stations the improvement is visible already as soon as the sonde reaches 850 hPa, depending on the wind speed and
313 topography around the station. Typically, the effect is largest in regions with high upper-level wind speeds. Taking the

314 displacements into account improves the background departure statistics between measurements and ERA5 not only for
315 temperature but also wind and relative humidity.

316

317 For relative humidity, the improvement is confined to levels located below 250 hPa. Above this level, the relative humidity is
318 generally very low, making it difficult to detect any meaningful difference with respect to the ERA5 background.

319 It is also important to note that some stations, where the RMSE of the ascents do not show signals of improvement in
320 temperature, often still show improvement in humidity or wind (or vice versa).

321

322 Considering that radiosonde observations make up a larger part of the total observations for the reanalysis in earlier years, one
323 might think that especially for these years the displacements are more relevant. The data investigation reveals that
324 improvements of the departure statistics are not greater for earlier ascents than for more recent ascents. The reason might be
325 that reanalysis fields before the satellite era are more strongly dependent on radiosondes. At these times few other upper-air
326 observations were available, and radiosonde data were assimilated assuming vertically straight ascents. However, the density
327 of the input data and the general quality of the reanalysis increased over the time, while the bias in measurements of the
328 uppermost levels decreased over time. Therefore, the relative importance of representation uncertainties, with respect to the
329 two other sources of uncertainties in the comparison (radiosonde instrumental uncertainties and ERA5 background
330 uncertainties), is larger for more recent ascents. **Figure 10** shows that considering the displacements is beneficial, although to
331 a lesser extent, also in the early days, when little upper air information other than radiosondes was available.

332

333 Finally, in **Figure 11** there are the results of a global comparison for the year 2000 - like the previous ones, but calculated for
334 all the available stations. A positive difference again indicates improvement due to taking the displacements into account.

335

336 To give a better insight, the differences of the RMSE are also plotted on a map for the 150 hPa level in **Figure 12**. Warm
337 colours show improvement for the respective station by applying the displacements, cold colours show a deterioration.
338 Improvement clearly predominates for the majority of stations. Deteriorations in quality appear less frequent and of smaller
339 magnitudes than improvements.

340

341 **Figure 13** shows the difference of the ERA5 background eastward wind speed in the 1990s at the station location minus the
342 same wind speed at the displaced location. The differences are sizable in some regions. For example, the weaker wind speeds
343 above station locations in China would indicate systematically too high observed wind speeds. This effect is large enough to
344 explain some of the radiosonde wind minus background wind differences, as pointed out by Tenenbaum et al. (2022). This
345 stresses again the importance of avoiding position errors in historical radiosonde ascents. Without the adjustments, artificial
346 trends in wind speed from radiosondes would be introduced in some regions when switching from traditional to GNSS
347 radiosondes.

349 **6. Evaluation with data assimilation experiments**

350 Desroziers et al. (2005) proposed a method to diagnose uncertainty statistics of observations in a data assimilation framework.
351 As indicated in their work, there are important assumptions associated with the approach. Bias contributions aside, the overall
352 level of uncertainties may be incorrect if, for example, there is significant correlation between observation random uncertainties
353 and random uncertainties of the background that is used in the data assimilation. A separation of scales is indeed required in
354 order to disentangle these two uncertainty components. Given the unique importance of radiosondes to inform on the state of
355 the stratosphere in a background obtained from data assimilation, such as in a reanalysis (e.g., Hersbach et al., 2020), there
356 may be some components of the uncertainties (such as radiation) that are present, and possibly correlated, in the background
357 and the observations. For these reasons, we do not use Desroziers' diagnostics in order to assign undisputable uncertainties to
358 the radiosonde uncertainties. Instead, we use these diagnostics in order to detect any changes in the observation uncertainties,
359 which include instrument and representativity uncertainties, owing to the effect of balloon drift.

360

361 To this end, we run two data assimilation experiments, using a simplified data assimilation setup. Simplifications are required
362 in order to make such an undertaking numerically affordable. Otherwise, so-called 'full' data assimilation experiments, using
363 all observations at the maximum resolution, are indeed too costly to conduct, if only for such an evaluation. The simplified
364 data assimilation setup is based on the ECMWF Integrated Forecasting System (IFS) cycle 48R1 configuration (ECMWF,
365 2023), using an octahedral reduced Gaussian grid with 159 wavenumbers, or approximately a horizontal resolution of 69 km,
366 instead of the ECMWF operational configuration which has a resolution of approximately 9 km at present. Also, similarly for
367 affordability reasons, the experiments only assimilate conventional observations (no satellite observations), the number of
368 four-dimensional variational (4D-Var) minimizations is reduced from three to two, and the analysis increments are at a
369 resolution of approximately 210 km (instead of 39 km for ECMWF operations). The simplified data assimilation setup enables
370 us to run data assimilation experiments for a duration of two months, 01 June - 31 July 1980.

371

372 The first experiment is the control. It assimilates the radiosonde observations as vertical profiles. The second experiment
373 assimilates the radiosonde observations following the balloon trajectory when this information is available (otherwise the data
374 are assimilated as vertical profiles). The balloon drift in the assimilation is handled by dividing the whole ascent into 15-minute
375 sub-profiles (Ingleby et al., 2018). In each sub-profile, the latitudes, longitudes, and times are invariant. In spite of this
376 arrangement, which only partially reflects the true slanted nature of the profiles, we retain the terminology of "slanted profile"
377 when discussing the results, for clarity within this paper.

378

379 We consider here the radiosonde observations that were assimilated in both experiments, to ensure no difference in results may
380 be caused by sampling differences. **Table 4** shows the statistics for these data. For the reasons mentioned earlier, the
381 interpretation of the table focuses on differences between the two experiments, and not on the absolute level of observation
382 uncertainties determined by Desroziers' diagnostics. Within 0.1 K, we find no detectable difference between the two
383 experiments for the levels located below the 100 hPa pressure level. For levels located higher, i.e. pressure lower than 100
384 hPa, one finds that background departures and estimated observation uncertainties are reduced in the experiment that
385 assimilated the data along slanted profiles. This result is obtained for radiosondes launched from land stations as well as
386 radiosondes launched from ships.

387
388 The differences may appear as very small and could be discarded as non important, if it was not for the fact that reducing
389 observation and representation uncertainties is generally an impossible task, once observations were collected and processed
390 already once. The present findings demonstrate that it is possible to generate greater return, in terms of information content,
391 through a reprocessing of the observations. The reprocessing enables here to assimilate observations along a slanted trajectory.
392 Furthermore, these are global statistics - see **Figure 14**. The previous sections indicated that results may vary per launch site.
393 Consequently, the improvements shown here, for global statistics, must hide some greater improvements at some particular
394 sites - see **Figure 15**.

395
396 Given previous results indicating a larger effect of the balloon drift during winter seasons (e.g. McGrath et al., 2006), and
397 given the much greater number of radiosonde stations in the Northern Hemisphere as compared to the Southern hemisphere
398 (e.g., see Figure 12), the present choice of the data assimilation season (Northern hemisphere summer, as Choi et al., 2015)
399 represents a conservative approach. An impact of larger magnitude may be expected at different time periods, in particular
400 during Northern hemisphere winter.

401

402 **7. Discussion and conclusions**

403 The verification and evaluation results have shown quite clearly that if at all possible, balloon displacements should be taken
404 into account for all relevant data assimilation applications to minimise representation errors. Ignoring the possibility to account
405 for observation location errors on the 100 km scale would be anachronistic, when global or regional reanalysis data sets
406 approach spatial resolutions finer than 20 km.

407

408 The method to reconstruct the balloon position presented in this work is limited by a few assumptions and depends on the
409 vertical resolution of the available profiles, and the conformance of the weather balloons to modern ascent speeds. For the
410 applications tested, an attempt was made to obtain the best results globally, and a clear positive impact was found, particularly

411 when comparing to ERA5 in the early 2000s, although positive results were also found at other times (e.g., 1980s). This is also
412 consistent with other findings in similar settings where trajectory data are used to reduce representation errors (e.g., Laroche
413 and Sarrazin, 2013).

414
415 The data assimilation experimental setup employed here is a simplified one, as compared to what may be used in a present-
416 day reanalysis configuration such as ERA5. Yet, we observe a positive impact of the balloon drift in terms of reducing the
417 background departures and the observation uncertainty, using Desroziers' diagnostics, for temperatures in the stratosphere.
418 We expect that the quality of the corrections made to use radiosondes at a displaced horizontal position, as compared to using
419 them at a vertical position, would increase when the background resolution and/or the background quality is increased. In
420 addition, assessing the impact of the balloon drift sensitivity to the assimilation of other observations alongside radiosondes
421 would be worth analysing. However, owing to time and computational constraints, it was not possible to investigate further
422 these effects with full data assimilation experiments at higher horizontal resolution and using all available information, but we
423 note this would be a useful pursuit.

424
425 The results of the tests have shown that the method is successful in reconstructing displacements and improving the accuracy
426 of the atmospheric data. Whilst the additional information provided by the method may not always be a visible improvement
427 for individual comparisons, it is of significant value when the displacement changes the gridbox of the model being compared.
428 This has been demonstrated by improved means in the plots and better agreement between observations and ERA5.

429
430 The value of improving radiosonde observations by reprocessing of the positions was evaluated by conducting reduced-
431 resolution data assimilation experiments, covering a two-month period in summer 1980. In the future, it would be desirable
432 that the impact of similar activities that seek to improve the observational record be more regularly evaluated in the generation
433 of downstream climate products. Such an evaluation should consider a longer time period and include the impact on low-
434 frequency variability in the products. For products such as reanalyses, obtained via data assimilation, this should entail full-
435 resolution Observing System Experiments (OSEs). For other types of climate products, including those powered by new
436 opportunities such as Artificial Intelligence or Machine Learning (e.g., Singh et al., 2022), it is important that mechanisms be
437 found to evaluate the impact of using the observations and how changes made in their handling affects the outcome.

438
439 Further experimentation using observation data from the period 2000 - 2020 is crucial and is likely to produce more compelling
440 outcomes. The effective use of this method for informing future climate reanalysis is one of the main objectives.

441 As the world faces increasing challenges related to climate change, the importance of accurate atmospheric data and the
442 potential of new methods to improve it cannot be overstated. The use of improved position metadata with radiosonde
443 observations can account for previously unexplainable phenomena, demonstrating the potential of this method to shed new

444 light on atmospheric data analysis. In addition, the method has the potential to improve the accuracy of reanalyses and climate
445 predictions, which are crucial for many socio-economic sectors.

446

447 To achieve the optimal representation of the data, precise details regarding time and location must be available for every
448 observation. One significant issue concerns the TAC format's transmission and storage of data, which often only includes a
449 nominal timestamp such as 00:00 UTC or 12:00 UTC. However, the actual launch of the respective balloon in most cases took
450 place 30-60 minutes earlier. The precise time difference from the nominal time is frequently unknown, therefore displacement
451 information cannot be utilised to its fullest extent. Since temperature can vary by more than 1 K/hour in the boundary layer
452 just due to the diurnal cycle this issue should be addressed. There are well known examples where changes in the sampling of
453 the diurnal cycle introduced spurious trends into climate data products (Mears and Wentz, 2005). Whenever possible, the
454 precise launch time should be used. In cases where this information is not available for individual ascents, the time difference
455 between the nominal and actual launch can often be determined from earlier or later ascents. Operators are normally advised
456 to minimise the variation throughout the launch procedure and, therefore, launch balloon sondes at the same time every day.

457

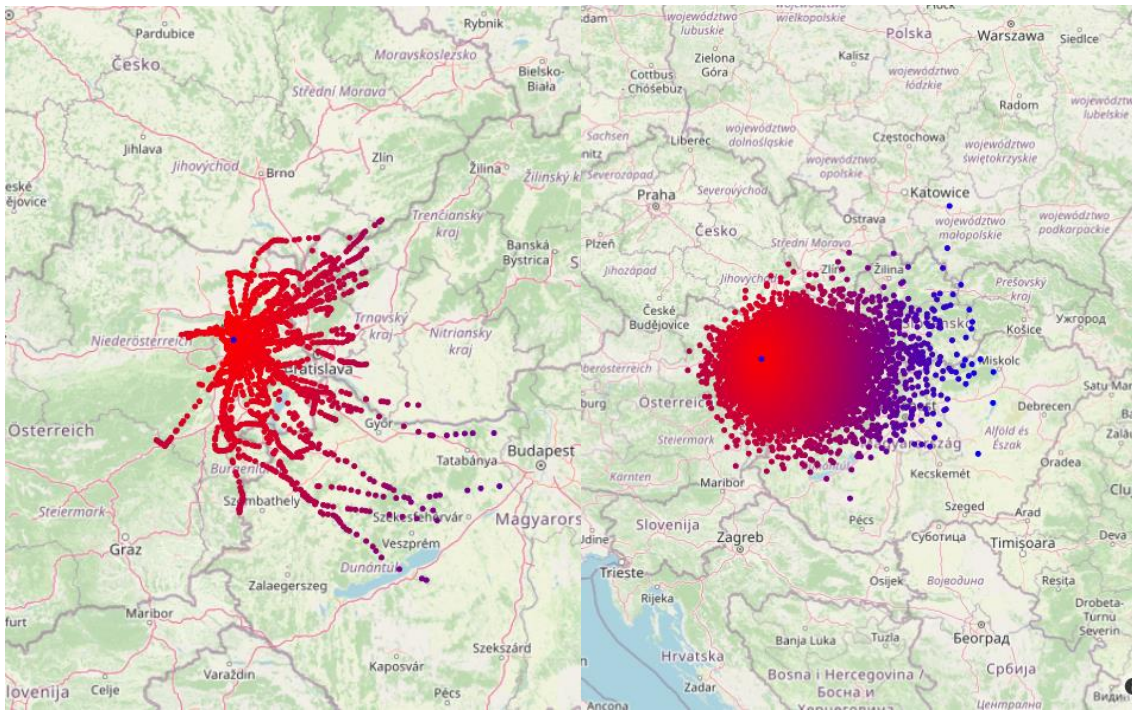
458 Additional work to better understand the causes of variation in balloon ascent speeds (e.g., Zhang et al., 2019) could help
459 further improve the results. Also, given all the uncertainty sources, it could be possible to generate an ensemble of trajectories
460 for each ascent.

461 The same approach can be used to reprocess rocket or dropsondes, ozonesondes or any other in-situ sonde carried by the wind,
462 provided the necessary information is available. Taking into account the accurate balloon position would also be beneficial
463 when comparing radiosonde observations with GNSS radio occultation (RO) observations (Gilpin et al. 2018). While the
464 slanted profile of the RO data is considered, radiosonde data is frequently presumed to move vertically only.

465

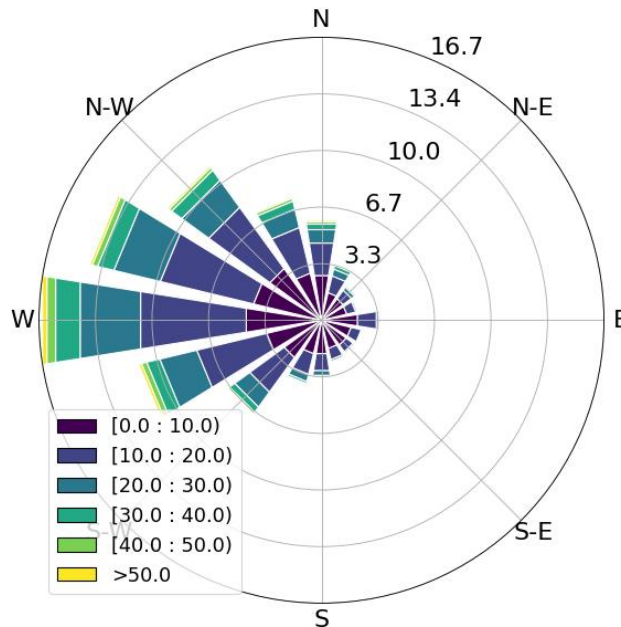
466 In conclusion, the development and testing of the method for reconstructing displacements based on the wind profile shows
467 promising results. The results presented in this paper suggest taking balloon displacements into account when producing
468 meteorological or climatological data based on upper-air in situ balloon-borne observations.

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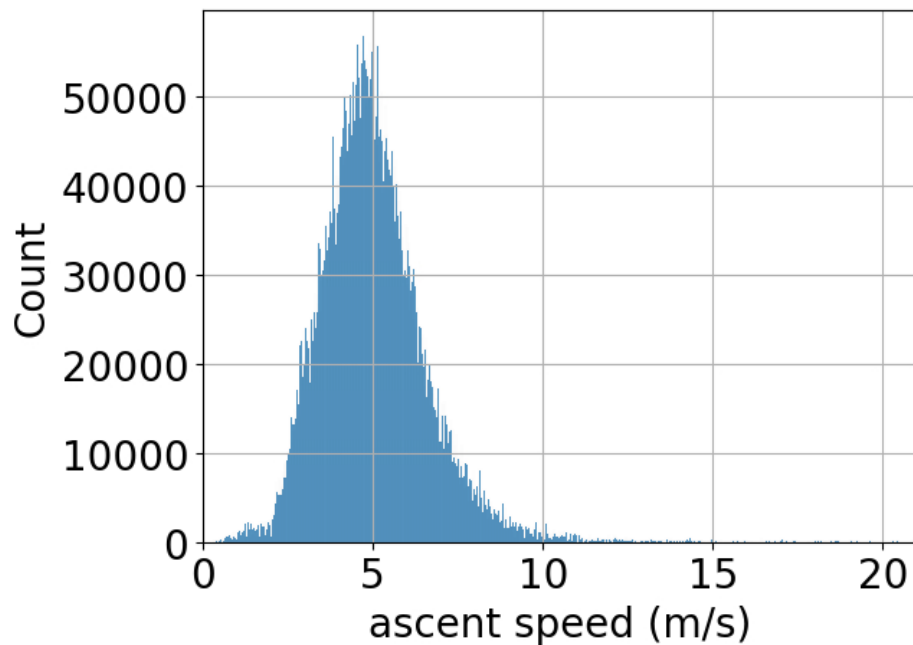


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Figure 1: Balloon displacements for station Vienna Hohe Warte, Austria (WIGOS ID 0-20001-0-11035, central blue dot) red to blue with increasing distance. Note the area covered is non-isotropic around the launch site. Left panel: Trajectories of all radiosonde

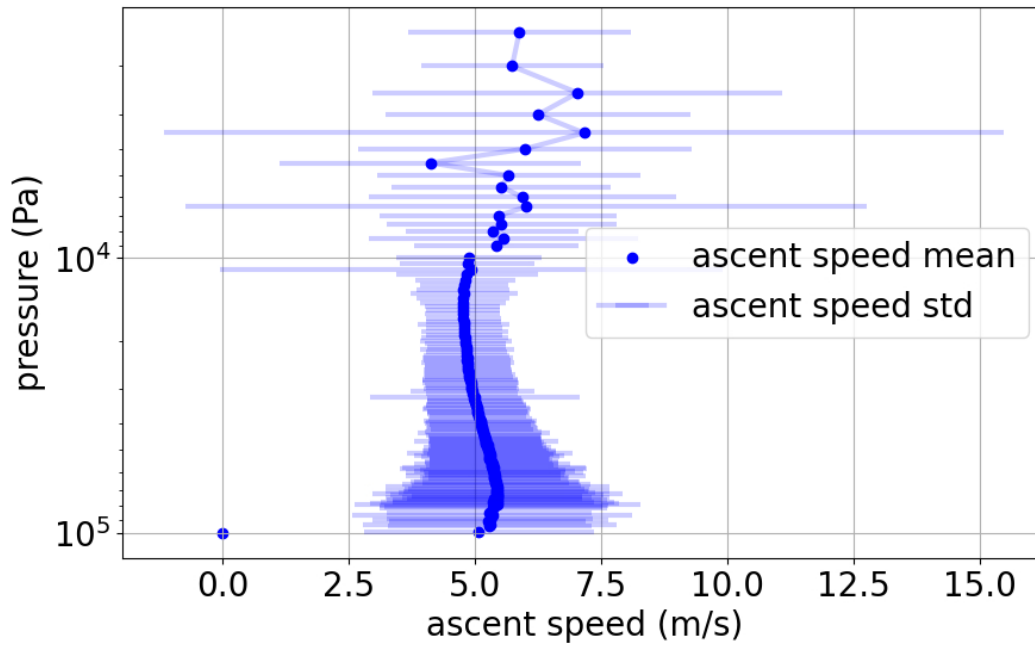
476 ascents during the year 2000. Right panel – maximum displacements of all available ascents for all years between 1950 and 2021.
477 Lower panel: windrose of Vienna Hohe Warte station for all available wind data. Colour indicates wind speed [m/s], radius indicates
478 frequency distribution [%] of direction, from where the wind comes from (sectors) and wind speed (colors).

479



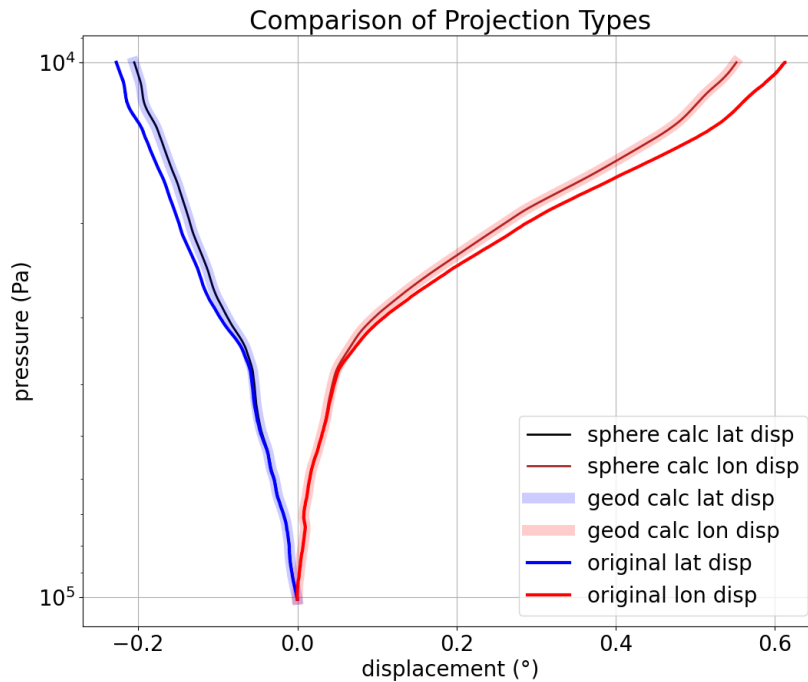
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481 **Figure 2: The observed ascent speeds from a sample of approximately 10 million BUFR encoded observations with known altitude**
482 **time series in 2020.**



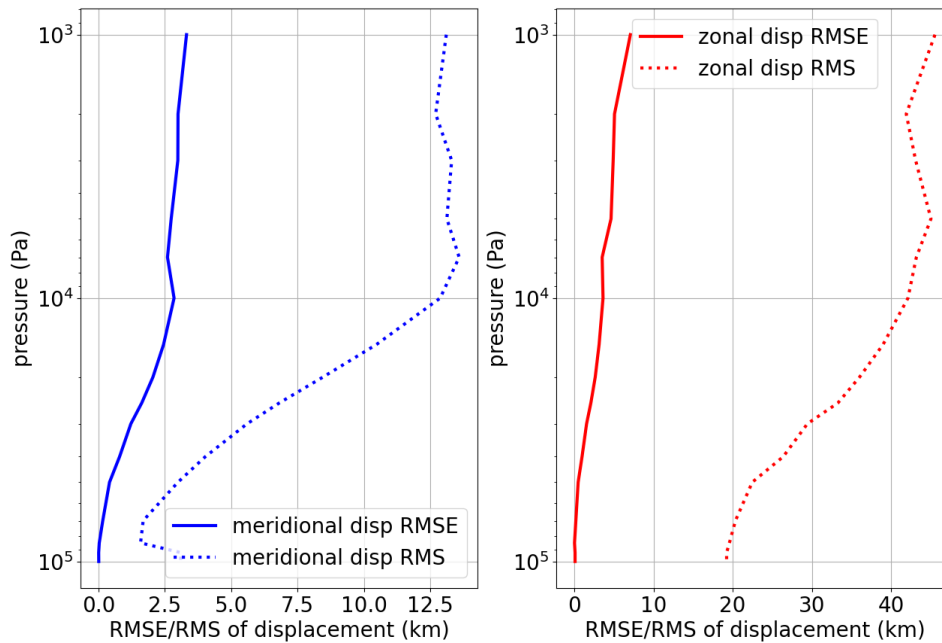
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Figure 3: Mean ascent speed with standard deviation bars for all radiosonde ascents from Riverton USA, in 2020, derived from high resolution BUFR data.



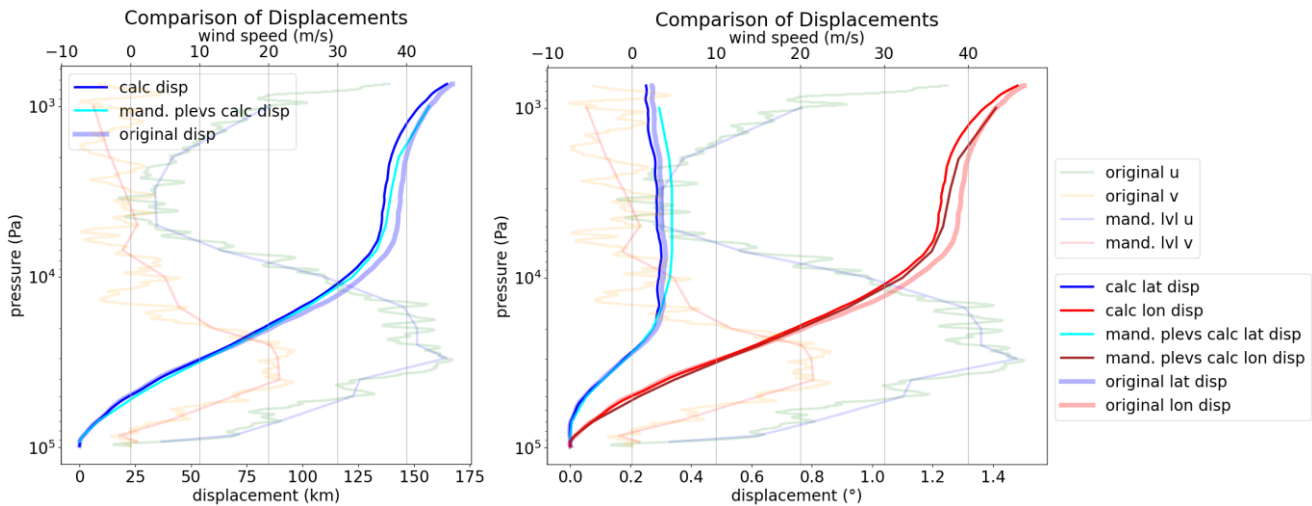
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Figure 4: Calculated displacements (black and brown for spherical earth, thick light blue and red for WGS84). Observed displacements stored in BUFR displacements (blue and red) are included for comparison. Tallahassee, Florida - USA 2020.05.31 23:19:00



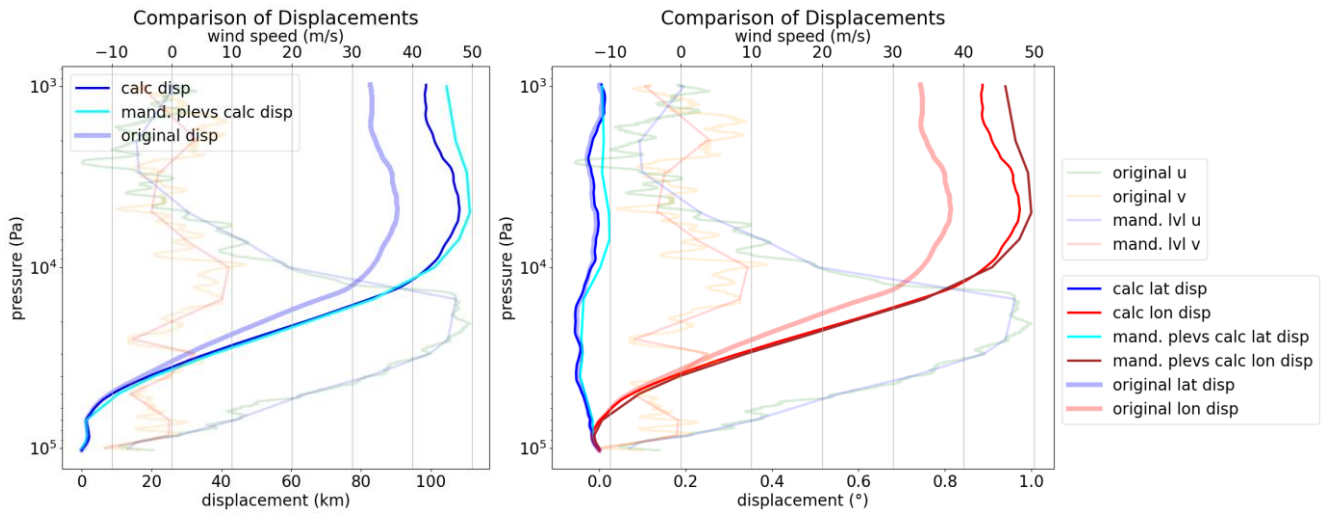
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Figure 5: RMS of meridional (blue dotted) and zonal (red dotted) displacements and RMSE between observed (from GPS) and modelled displacements (solid blue and solid red, respectively). The samples contain all BUFR encoded ascents in the summer months of 2020 (more than 10000).

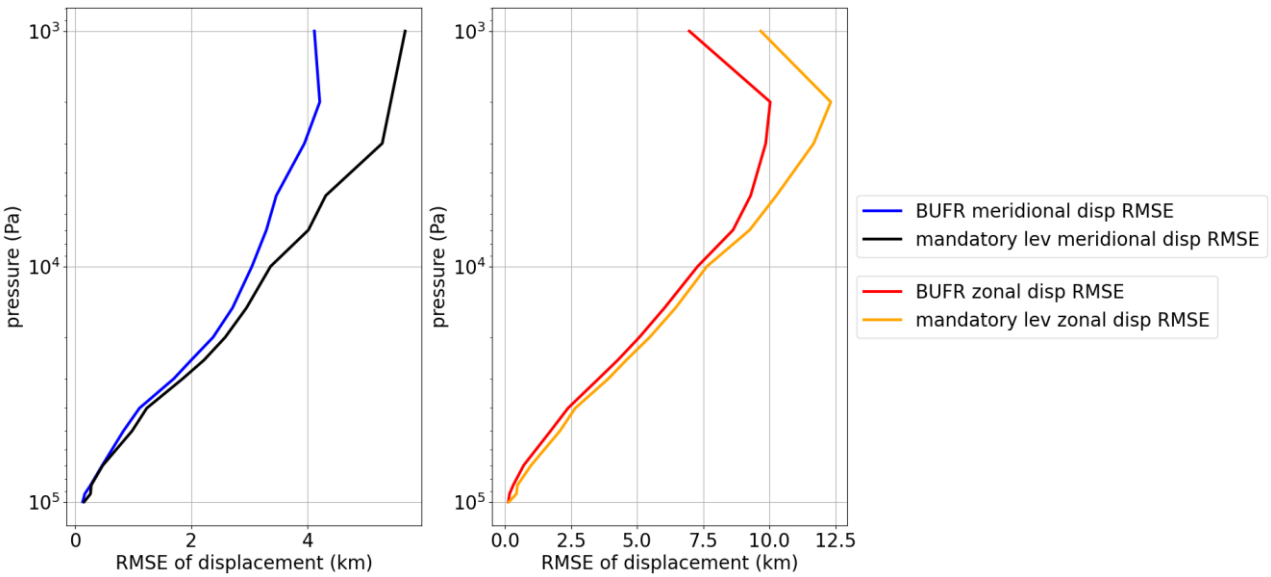


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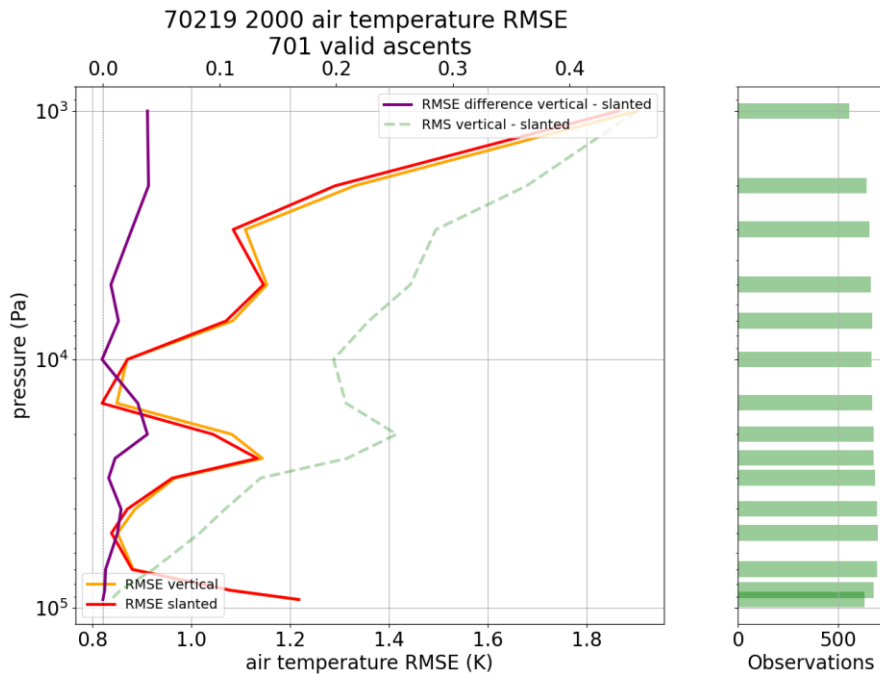
Figure 6: Vertical profiles of displacements (starting at zero at surface), calculated from observed winds (thin lines) or taken from BUFR thick light lines. The profiles of observed wind (thin light colors) are plotted to the upper x axis - Peachtree City, Georgia - USA 31.01.2021 23:24:00. Left panel: overall displacements in km, right panel: lat and lon displacements in degrees as encoded in BUFR.



501
 502 **Figure 7: Vertical profiles of displacements (starting at zero at surface), calculated from observed winds (thin lines) or taken from**
 503 **BUFR thick light lines. The profiles of observed wind (thin light colors) are plotted to the upper x axis - Ishigaki, Okinawa - Japan**
 504 **2019.12.31 23:31:00 . Left panel: overall displacements in km, right panel: lat and lon displacements in degrees as encoded in BUFR.**

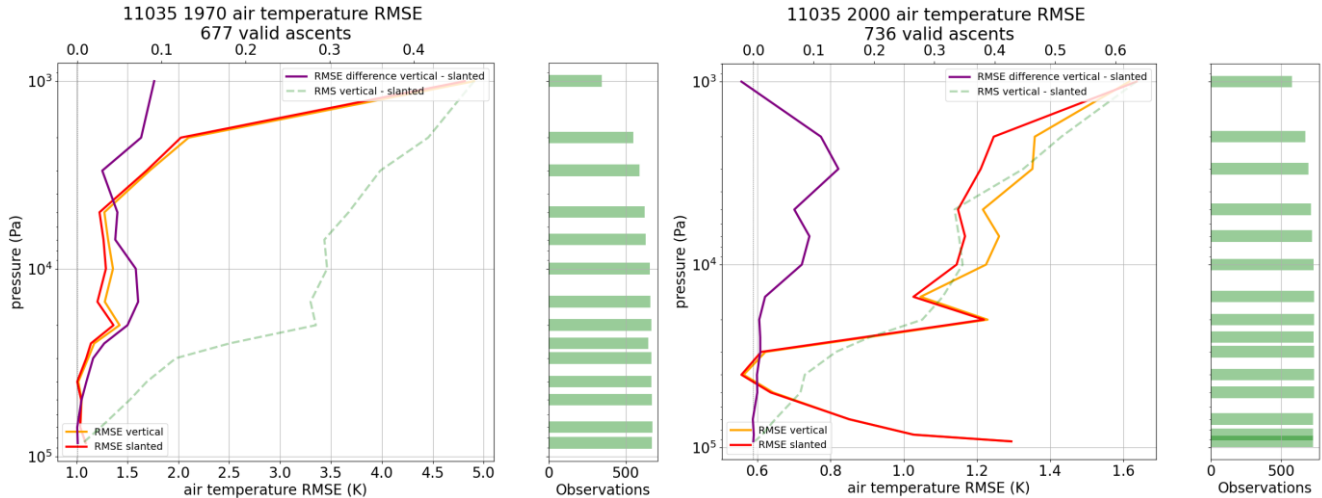


508
 509 **Figure 8: RMSE between observed and modelled displacements of meridional (left panel) and zonal (right panel) components,**
 510 **averaged over all stations available in October 2014, one of the first months with a sizable number of high-resolution BUFR encoded**
 511 **profiles. Blue and red are RMSE profiles obtained by using the full vertical resolution of BUFR observations, black and orange are**
 512 **RMSE profiles, and obtained by using only mandatory level information.**
 513



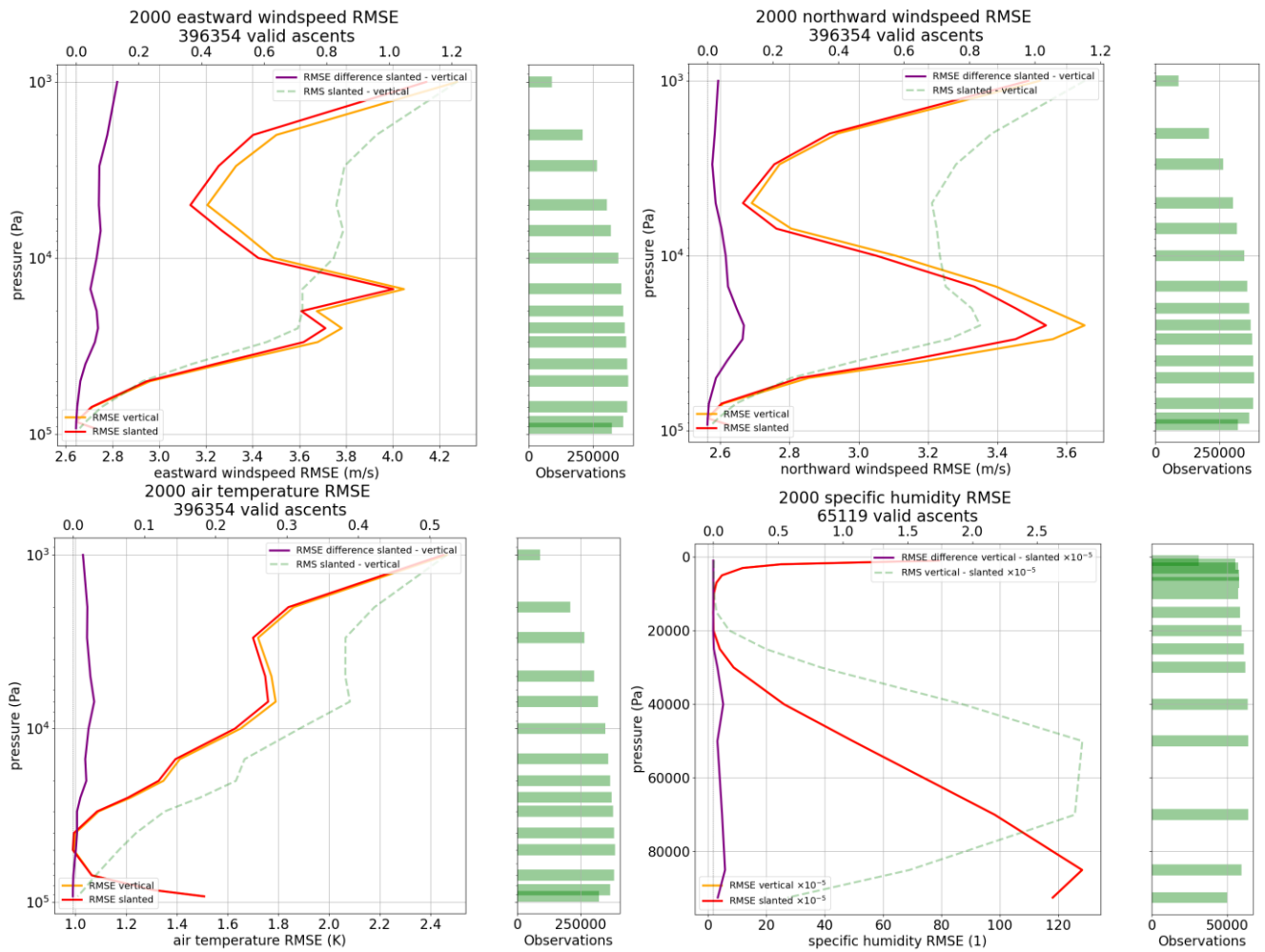
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Figure 9: Bethel Airport, Alaska all 2020 ascents. RMSE (obs - ERA5) of base coordinate temperatures minus sonde temperatures (orange) and RMSE (obs - ERA5) of displaced temperatures minus sonde temperatures (red), also RMS of displaced minus base (green dashed) to show the magnitude of difference between base and displaced temperatures. Positive difference between orange and red graphs (purple line, upper x axis) shows improvement due to more accurate balloon position. Green bars on the right indicate sample sizes at different levels.



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Figure 10: Vienna Hohe Warte, Austria - Left: 1970 all ascents, Right: 2020 all ascents. Different x-axes scales are used. RMSE (obs - ERA5) of vertical temperature minus sonde temperature (orange, lower x-axis) and RMSE (obs - ERA5) of slanted temperature minus sonde temperature (red, lower x-axis). Positive difference between orange and red graphs (purple line, upper x axis) shows improvement due to more accurate balloon position.



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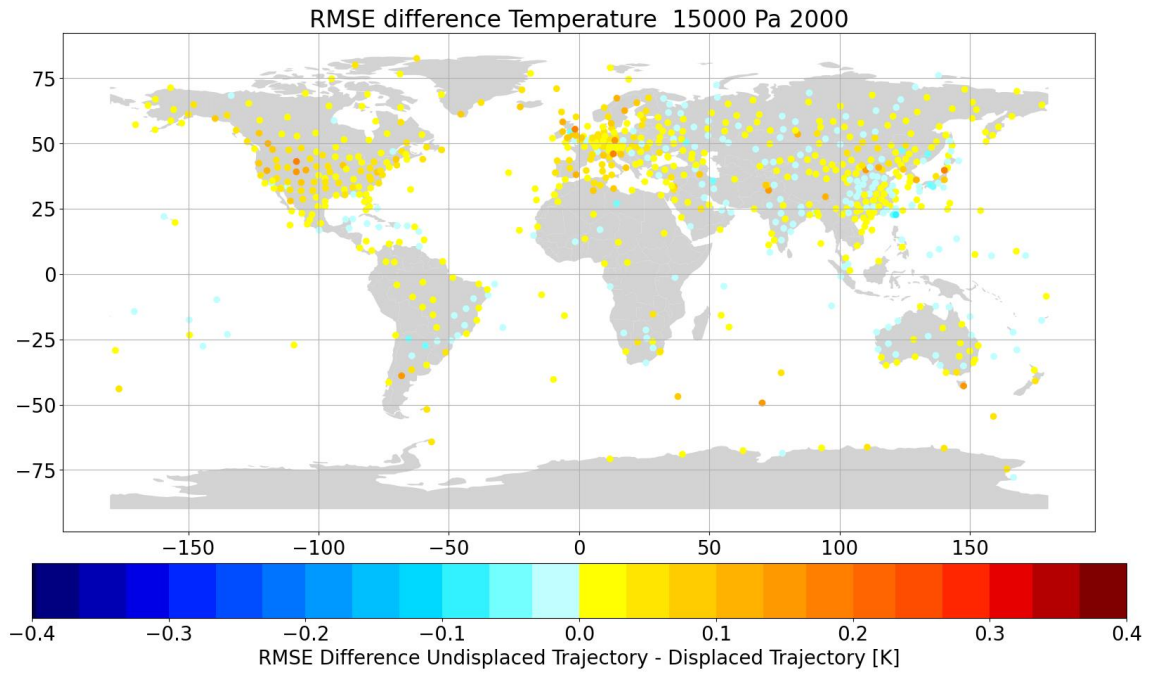
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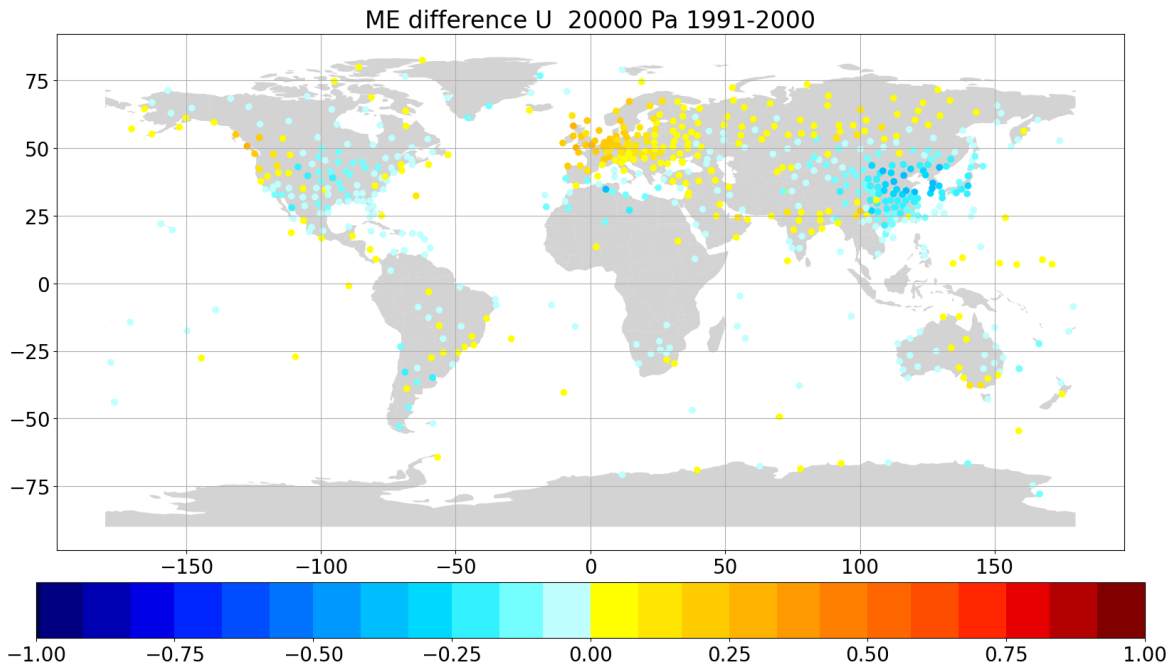
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Figure 11: Global RMSE (obs - ERA5 background) assuming vertical ascents (orange) and RMSE (obs - ERA5 background) from reconstructed slanted ascents (red), calculated from all available ascents of year 2000. The differences between orange and red graphs (purple line, upper x axis) shows how much the better balloon position improved the temperature data (positive = improvement). The “RMS vertical - slanted” (green dashed line, upper x axis) indicates how much the ERA5 background varies on average between the vertical and slanted balloon profiles. - Top left: u wind component; Top right: v wind component; Bottom left: temperature; Bottom right: specific humidity in kg/kg (note scaling factor 10^{-5}).



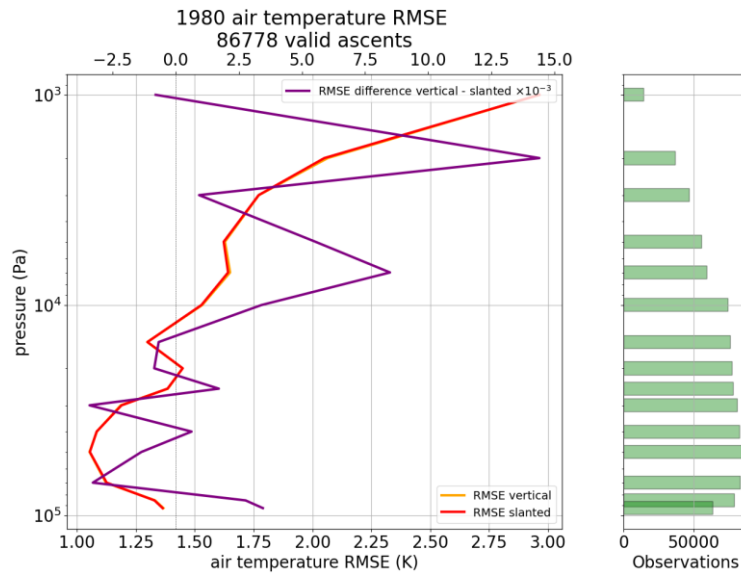
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Figure 13: Global stations difference of temperature [K] observation RMSE (obs - ERA5) when compared to background at station coordinates minus the temperature observation RMSE (obs - ERA5) when compared to background at displaced position - Positive values indicate improvement due to more accurate balloon position. All available observations at 150 hPa averaged over all ascents in the year 2000.



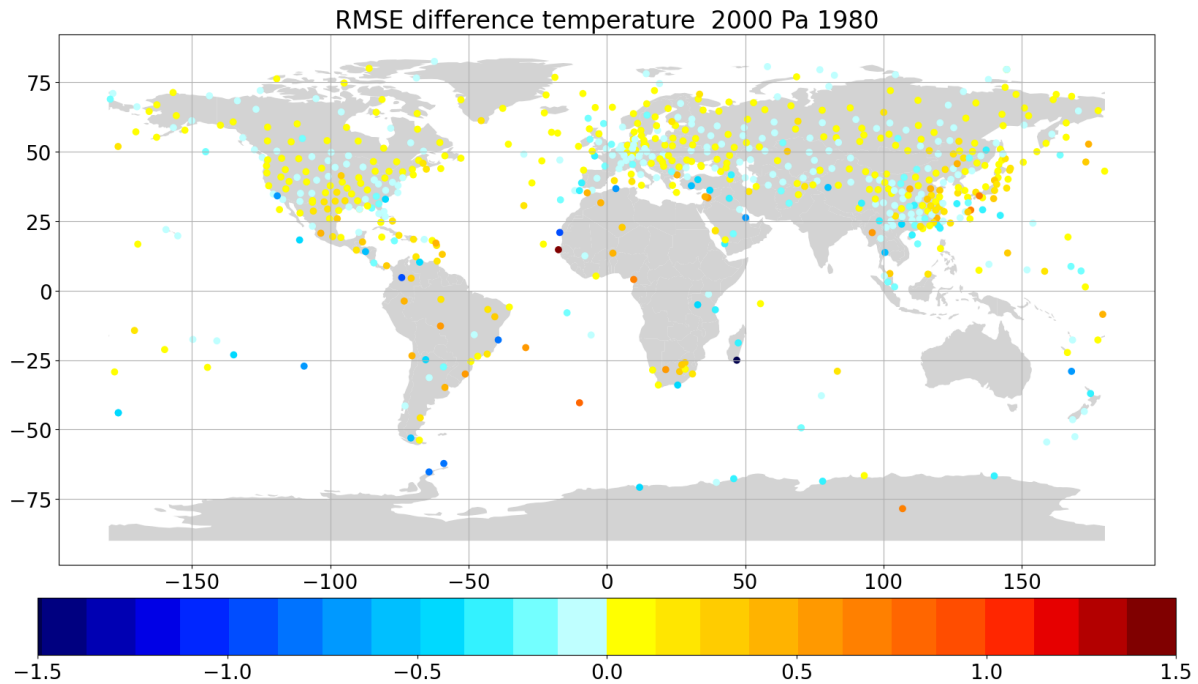
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Figure 13: Mean u wind [m/s] difference obs - ERA5 background at station position minus obs - ERA5 background at displaced position. All available values on 200 hPa of years 1991 - 2000.



543

544 **Figure 14:** Air temperature obs-bg RMSE difference for experiment “vertical” (orange) and for experiment “slanted” (red). The
 545 difference of differences (orange-red) yields the purple line, upper x axis, note scaling factor 10^{-3} . Positive values indicate
 546 improvement due to more accurate balloon position. All available stations on mandatory pressure levels between 1980.06.01-
 547 1980.07.31.



548

549 **Figure 15:** Air temperature obs-bg RMSE [K] difference of experiment “vertical” minus RMSE of experiment “slanted”. Positive
 550 values indicate improvement due to usage of more accurate balloon position. All available stations on 20 hPa between 1980.06.01-
 551 1980.07.31.

552 **Formula 1, 2: Calculation of the vertical gradient of temperature. See Table 1.**

553
$$\Gamma(p) = \frac{\delta T}{\delta z} = \frac{\delta T}{\delta p} \frac{\delta p}{\delta z} = - \frac{\delta T}{\delta p^\kappa} \frac{\delta p^\kappa}{\delta p} \frac{\delta p}{\delta z} \quad (1)$$

554
$$\Gamma(p) = - \frac{\delta T}{\delta p^\kappa} \frac{p^\kappa}{T} \frac{\kappa g}{R_d} \quad (2)$$

555
556

557 **Formula 3: Calculation of layer height. See Table 1.**

558
$$\Delta Z_{(i \rightarrow i+1)} = \frac{T_i}{\Gamma_i} \left(\frac{p_{i+1}}{p_i} \right)^{-\frac{\Gamma_i R_d}{g} - 1} \quad (3)$$

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561

Table 1: Height profile calculation. Explanation of all used variables.

Symbol	Description	Unit	Data source
Γ	temperature lapse rate	[K/m]	observed variable
p	pressure	[Pa]	observed variable
T	temperature	[K]	observed variable
Δz	layer height	[m]	calculated variable
κ	isentropic expansion factor	[1]	$\kappa = R/c_p$
κ_p	specific heat capacity of air at constant pressure	[J/kg/K]	constant (1005.7)
R_d	gas constant for dry air	[J/kg/K]	constant (286.7)
g	standard gravity	[m/s ²]	constant (9.80665)

562
563

564 **Formula 4: Transport of the balloon with the wind. See Table 2.**

565
$$\vec{S}_{(i+1)} = \vec{u}_{(i \rightarrow i+1)} * \frac{\Delta Z_{(i \rightarrow i+1)}}{w_{balloon}} \quad (4)$$

566

567

568 **Table 2: Time interval calculation. Explanation of all used variables.**

Symbol	Description	Unit	Data source
\vec{s}	distance travelled	[m]	0 at i = 0, lon for u, lat for v
\vec{u}	wind	[m/s]	observed variable, u and v components of wind
Δz	layer height	[m]	calculated variable
w	rate of ascension	[m/s]	5, prescribed variable

569

570

571 **Table 3: Ascent speed percentiles for a sample of 10.000.000 observations with known altitude time series in 2020.**

Percentile	Value	Unit
1	2.05	[m/s]
5	2.82	[m/s]
25	4.01	[m/s]
75	5.85	[m/s]
95	7.74	[m/s]
99	10.09	[m/s]

572

573

574 **Table 4: Statistics for the radiosonde observations actively used by both data assimilation experiments (vertical and slanted),**
575 **separating between radiosondes launched from land stations and radiosondes launched from ships. P indicates the pressure (hPa),**
576 **RSD indicates the robust standard deviation of background departures (i.e., before assimilation), SIGO indicates the estimated**
577 **observation uncertainty (see text for details), and N indicates the data count. Results that differ between the two experiments are**
578 **shown in bold and underlined. Observations that were used by only either one of the two experiments are excluded from these**
579 **statistics.**
580

Pressure level range	P ≥ 500 hPa		500 hPa > P ≥ 100 hPa		100 hPa > P ≥ 1 hPa	
Experiment	Vertical	Slanted	Vertical	Slanted	Vertical	Slanted
Radiosondes from land stations						
RSD	1.2 K	1.2 K	1.3 K	1.3 K	<u>2.1 K</u>	<u>2.0 K</u>
SIGO	1.1 K	1.1 K	1.2 K	1.2 K	<u>2.1 K</u>	<u>2.0 K</u>
N	31,027,909	31,027,909	30,229,363	30,229,363	1,358,298	1,358,298
Radiosondes from ships						
RSD	1.2 K	1.2 K	1.2 K	1.2 K	<u>1.6 K</u>	<u>1.5 K</u>
SIGO	1.1 K	1.1 K	1.2 K	1.2 K	<u>1.8 K</u>	<u>1.6 K</u>
N	838,265	838,265	669,655	669,655	34,709	34,709

581
582

583 **Code and data availability**

584 Radiosonde data used in the present work are available from <https://doi.org/10.7289/V5X63K0Q> (IGRA) and
585 <https://doi.org/10.24381/cds.f101d0bf> (C3S CDS) and the National Centers for Environmental Information (NOAA NCEI)
586 Radiosonde Archive (<https://www.ncei.noaa.gov/data/ecmwf-global-upper-air-bufr/archive/>). Climate reanalysis data (ERA5)
587 are available from <https://doi.org/10.24381/cds.bd0915c6>. The code discussed in this paper is available from
588 <https://doi.org/10.5281/zenodo.10663306>.

589 **Author contribution**

590 Ulrich Voggenberger and Leopold Haimberger designed the method to estimate balloon positions. Ulrich Voggenberger
591 developed the code and optimised the estimations and calculations with further input from Federico Ambrogi. Ulrich Leopold
592 Haimberger and Ulrich Voggenberger validated and evaluated the results based on ERA5 data. Paul Poli ran the data
593 assimilation experiments and evaluated the results in section 6. Ulrich Voggenberger prepared the manuscript with
594 contributions from all co-authors.

595 **Competing interests**

596 The contact author has declared that none of the authors has any competing interests.

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