



1 **A new step-wise Carbon Cycle Data Assimilation System**
2 **using multiple data streams to constrain the simulated land**
3 **surface carbon cycle**

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14



1 **Abstract**

2 Large uncertainties in Land surface models (LSMs) simulations still arise from inaccurate
3 forcing, incorrect model parameter values and incomplete representation of biogeochemical
4 processes. The recent increase in the number and type of carbon cycle related observations,
5 including both in situ and remote sensing measurements, has opened a new road to optimize
6 model parameters via robust statistical model-data integration techniques, in order to reduce
7 the simulated carbon fluxes and stocks uncertainties. In this study we present a Carbon Cycle
8 Data Assimilation System (CCDAS) that assimilates three major data streams, namely
9 MODIS-NDVI observations of vegetation activity, net ecosystem exchange (NEE) and latent
10 heat (LE) flux measurements at more than 70 sites (FLUXNET), and atmospheric CO₂
11 concentrations at 53 surface stations, in order to optimize the main parameters of the
12 ORCHIDEE LSM (around 180 parameters in total). The system relies on a step-wise
13 approach that assimilates each data stream in turn, propagating the information gained on the
14 parameters from one step to the next.

15 Overall, the ORCHIDEE model is able to achieve a consistent fit to all three data streams,
16 which suggests that current LSMs have reached the level of development to assimilate these
17 observations. The assimilation of MODIS-NDVI (step 1) reduced the growing season length
18 in ORCHIDEE for temperate and boreal ecosystems, thus decreasing the global mean annual
19 gross primary production (GPP). Using FLUXNET data (step 2) led to large improvements in
20 the seasonal cycle of the NEE and LE fluxes for all ecosystems (i.e., increased amplitude for
21 temperate ecosystems). The assimilation of atmospheric CO₂, using the atmospheric transport
22 model LMDz (step 3), provides an overall constraint (i.e., constraint on large scale net CO₂
23 fluxes), resulting in an improvement of the fit to the observed atmospheric CO₂ growth rate.
24 Thus the optimized model predicts a land C sink of around 2.2 PgC.yr⁻¹ (for the 2000-2009
25 period), which is more compatible with current estimates from the Global Carbon Project
26 (GCP) than the prior value. The consistency of the step-wise approach is evaluated with back-
27 compatibility checks. The final optimized model (after step 3) does not significantly degrade
28 the fit to MODIS-NDVI and FLUXNET data that were assimilated in the first two steps,
29 suggesting that a stepwise approach can be used instead of the more “challenging”
30 implementation of a simultaneous optimization in which all data streams are assimilated
31 together. Most parameters, including the scalar of the initial soil carbon pool size, changed



1 during the optimization with a large error reduction. This work opens new perspectives for
2 better predictions of the land carbon budgets.

3

4 **1 Introduction**

5 Atmospheric CO₂ concentrations have increased at an unprecedented rate over the last few
6 decades, predominantly due to anthropogenic fossil fuel and cement emissions, as well as
7 land use and land cover change (LULCC). The oceans and the terrestrial biosphere have
8 absorbed CO₂, removing on average 50% of anthropogenic emissions from the atmosphere.
9 However, knowledge about the exact location of sources and sinks of carbon (C) and the
10 driving mechanisms is still lacking. Land surface models (LSMs) can be used to improve our
11 understanding of the spatio-temporal patterns of sources and sinks, as well as for attributing
12 changes due to CO₂, climate variability and other environmental drivers. However, the spread
13 in the model predictions of terrestrial net C exchange currently has the same order of
14 magnitude as the uncertainty of the terrestrial C budget estimated as the residual of the other
15 components (Le Quéré et al., 2015). In addition to uncertainties in the mean global annual
16 terrestrial C budget and its trend over time (Sitch et al., 2015), there remains strong
17 discrepancies between LSMs in their predictions of regional budgets (Canadell, 2013) at
18 seasonal and inter-annual timescales and in their sensitivity to climate and atmospheric CO₂
19 forcing (Piao et al., 2013).

20 Uncertainties in model simulations arise from inaccurate forcing, incorrect model parameter
21 values and/or an inadequate or incomplete representation of biogeochemical processes in the
22 model (for example the impact of nutrient limitation on C fluxes, or C release related to
23 permafrost thawing). Arguably the best way to improve model predictions is to confront
24 simulations with multiple sources of data within an appropriate and rigorous framework
25 (Prentice et al., 2015). In the last two decades significant efforts by the site and satellite
26 observation communities have resulted in a large increase in the number and type of C cycle-
27 related observations. These data contain some information at various spatial and temporal
28 scales and should be combined together to robustly address different aspects of the models.
29 One way in which these data can be used to better quantify and reduce model uncertainty is
30 by optimizing or calibrating the model parameters via robust statistical model-data fusion (or
31 data assimilation – DA) techniques. In particular a Bayesian inference framework allows us to



1 update our prior knowledge of the parameters based on new information contained in the
2 observations.

3 There is a long history of using DA techniques for parameter optimization, particularly in
4 Geophysics (Tarantola, 1987), but the initial studies in the field of global terrestrial C cycle
5 data assimilation started with the initial study of Fung et al. (1987) and a pioneering work by
6 Knorr and Heimann (1995) who used atmospheric CO₂ concentration to constrain the Simple
7 Diagnostic Biosphere Model (SDBM). This effort was continued by the original Carbon
8 Cycle Data Assimilation System (CCDAS) described in Rayner et al. (2005) and Kaminski et
9 al. (2012) which used both atmospheric CO₂ and satellite-derived Fraction of Absorbed
10 Photosynthetic Radiation (FAPAR) data to optimize vegetation productivity by adjusting the
11 C cycle-related parameters of the Biosphere Energy-Transfer Hydrology (BETHY) model
12 (see a review in Kaminski et al., 2013). Meanwhile substantial efforts have been put into the
13 use of local eddy covariance flux tower measurements of net exchange of CO₂ and latent and
14 sensible heat fluxes to optimize photosynthesis, respiration and energy-related parameters of
15 terrestrial ecosystem models, both at individual sites (e.g. Wang et al., 2001, 2007; Williams
16 et al., 2005; Braswell et al., 2005; Knorr and Kattge, 2005; Moore et al., 2008; Ricciuto et al.,
17 2008), and more recently using multiple sites together (hereafter multiple sites) from the
18 global FLUXNET network (e.g. Groenendijk et al., 2011; Kuppel et al., 2012, 2014; Alton,
19 2013; Xiao et al., 2014). Increasingly the focus in carbon cycle data assimilation is moving
20 towards using multiple different data streams as independent constraints, with the aim of
21 bringing more information at different spatial and temporal scales and constraining several
22 processes at once in order to reduce the likelihood of model equifinality (where multiple sets
23 of parameters achieve the same reduction in model-data misfit). Recent examples include the
24 combination of in-situ eddy covariance flux observations and ground-based information on
25 vegetation structure and C stocks (Richardson et al., 2010; Ricciuto et al., 2011; Keenan et al.,
26 2012, 2013; Thum et al., 2015), or in-situ flux data and satellite FAPAR (Kato et al., 2013;
27 Zobitz et al., 2014; Bacour et al., 2015). This is a non-trivial task however, especially when
28 optimizing a complex LSM (see MacBean et al, submitted), which has many parameters
29 acting from local to global scales.

30 When assimilating multiple different data streams we have two options: i) to optimize the
31 model with each data stream in turn, and to propagate the information gained on the
32 parameter values from one step to the next (hereafter referred to as “stepwise” assimilation),



1 or ii) to include all data streams together in the same optimization (hereafter referred to as
2 “simultaneous” assimilation). Kaminski et al. (2012) suggested that it is essential to perform a
3 consistent, simultaneous assimilation that includes all data streams in the same optimization.
4 It is important to note that this is an implementation question. Tarantola (2005) recasts the
5 fundamentals of the approach as the conjunction or multiplication of probability densities.
6 This multiplication is associative so it makes no difference whether it is performed in one step
7 or several. In complex problems such as these, one cannot carry or even describe the full
8 structure of the relevant probability densities so which approach will work best in each case is
9 unclear. In particular, technical difficulties associated with the different number of
10 observations for each data stream and the characterization of error correlations between them,
11 in addition to computational constraints to run global LSMs, might result in the preference for
12 a step-wise assimilation framework. Additionally, it may be more straightforward, to expose a
13 restricted set of parameters to each observation type in a stepwise approach to ensure that
14 each data stream constrains only the most relevant parts of the model. This reduces biases
15 from other poorly-represented processes caused by inadequate model structure. For these
16 reasons we follow the stepwise approach in this paper.

17 We present the first global-scale CCDAS that assimilates three of the main global data
18 streams that have been used to date to understand the terrestrial carbon cycle – atmospheric
19 CO₂ concentration, satellite-derived information of vegetation greenness (from the MODIS
20 instrument) and multisite eddy covariance net CO₂ and latent heat flux measurements (from
21 FLUXNET) – to optimize the parameters of the Organizing Carbon and Hydrology in
22 Dynamics Ecosystems (ORCHIDEE) process-based LSM (Krinner et al., 2005). The main
23 questions that we aim to answer in this paper are as follows:

24 i) How and to which extend the optimization of the ORCHIDEE model allows to fit the three
25 data streams that are considered?

26 ii) Does the step-wise optimization result in a degradation of the fit to other data streams used
27 in the previous steps?

28 iii) What are the main changes in the optimized parameters when using sequentially these
29 three data streams in a global CCDAS and which processes are constrained?

30 iv) What are the improvements for the land C cycle in terms of net/gross fluxes and stocks as
31 a result of multi-data stream optimization? What preliminary perspectives can we draw that



1 may help us in improving model predictions of trends, variability and the location of
2 terrestrial C sources and sinks?

3 Following these objectives, the paper first describes the new ORCHIDEE-CCDAS including
4 the concept, the observations, the models and the optimization approach. We then present the
5 results, including the fit to the data, consistency checks (question i) above) as well as mean
6 global and regional C cycle budget for the period 2000-2009. The last section discusses issues
7 and perspectives associated with these results.

8

9 **2 Methods**

10 **2.1 ORCHIDEE-CCDAS concept**

11 We have designed a CCDAS around the ORCHIDEE land surface model (ORCHIDEE-
12 CCDAS, later also referred to as ORCHIDAS for simplicity) that combines a state-of-the-art
13 description of the driving biogeochemical processes within the model with multiple
14 observational constraints in a robust statistical framework, in order to improve the simulation
15 of land carbon fluxes and stocks. The system allows us to retrieve the best estimate, given the
16 observations and prior information, of selected parameters (see §2.3.3) as well as to evaluate
17 their uncertainty. It relies on a stepwise assimilation of a comprehensive set of three C cycle-
18 related observations that are representative of small (100 m) to large (continental) scales (see
19 §2.2):

- 20 • Step 1: Satellite measurements of vegetation activity using the Normalized Difference
21 Vegetation Index (NDVI) from the MODIS instrument over the 2000-2008 period for
22 a randomly selected set of sites for boreal and temperate deciduous vegetation types;
- 23 • Step 2: In-situ eddy-covariance net CO₂ and water (latent heat) flux measurements
24 from the FLUXNET database for a large set of sites, spanning 7 different vegetation
25 types;
- 26 • Step 3: In-situ monthly atmospheric surface CO₂ concentration measurements from
27 the GLOBALVIEW-CO₂ database over three years (2002-2004).

28 The system relies on two models:

- 29 • The ORCHIDEE global LSM, whose main C cycle parameters are optimized (see
30 §2.3)



- 1 • The atmospheric transport model, LMDz (see §2.3), to relate the surface carbon fluxes
2 to atmospheric CO₂ concentrations.

3 The framework combines the different observational data streams within ORCHIDAS in
4 order to optimize selected model parameters using a variational data assimilation system,
5 described in section 2.4. Figure 1 illustrates the structure of the CCDAS and the different
6 components that are involved. Such a framework distinguishes i) the assimilated observations,
7 ii) an ensemble of forcing and input data streams, iii) the models and optimization framework,
8 as well as iv) an evaluation step, where independent datasets are compared to the optimized
9 model stocks and fluxes. As explained in the introduction, a major feature of the current
10 system is the stepwise approach, in which all data streams are assimilated sequentially (i.e.
11 one after the other). The information retrieved at a given step (retrieved optimal parameter
12 values and associated uncertainty) is propagated to the next step (see Fig. 2 and §2.4). Note
13 that for simplicity we did not propagate the error correlations in this first implementation of
14 the system.

15 At each step, the parameter optimization relies on a Bayesian framework that explicitly
16 minimizes the difference between the simulated and observed quantities in addition to
17 minimizing the difference between the optimized model parameters and “a priori” values (see
18 §2.4.2). The dependence of the simulated quantities on the optimized variables is non-linear,
19 which thus necessitates the use of an iterative algorithm. Note that all components of the
20 surface C budget need also to be included in the ORCHIDAS, particularly when using
21 atmospheric CO₂ measurements which requires the atmospheric transport model to be
22 prescribed with fossil fuel emissions, CO₂ fluxes associated with biomass burning and ocean
23 CO₂ fluxes (see §2.5) in addition to net ecosystem exchange (NEE) from ORCHIDEE.

24 **2.2 Assimilated observations**

25 **2.2.1 MODIS-NDVI**

26 MODIS collection 5 obtained from surface reflectance data (from 2000-2008) in the red (R)
27 and near-infrared (NIR) bands at 5 km resolution (CMG) are used to optimize the phenology-
28 related parameters of ORCHIDEE in the first step. The R and NIR data were processed to
29 correct for directional effects following Vermote et al. (2009) and then used to calculate the
30 NDVI, which is assumed to be linearly related to the model FAPAR. The NDVI are then i)
31 aggregated to the 0.72° spatial resolution of the ERA-Interim meteorological fields that are



1 used to force ORCHIDEE, ii) interpolated to a daily time series and iii) checked for quality
2 (see MacBean et al., 2015 for details). If there is a gap in the observations of more than 15
3 days, no interpolation is done (i.e., no data during the gap are assimilated). Figure 3 displays
4 the location of the sites that were selected (see §2.4.1).

5 2.2.2 Eddy covariance flux data

6 Eddy covariance flux measurements of net surface CO₂ flux – hereafter referred to as net
7 ecosystem exchange (NEE) and latent heat flux (LE) from 78 observation sites of a network
8 of regional networks (FLUXNET; see Fig. 3) are used to constrain ecosystem physiology and
9 fast C-related processes at daily to seasonal timescales in ORCHIDEE in the second step. We
10 use quality-checked and gap-filled data from a global synthesis called the La Thuile dataset
11 (Papale, 2006). In order to avoid dealing with the large error correlations in the half-hourly
12 data (see Lasslop et al., 2008), daily mean values of NEE and LE are used in the ORCHIDAS.
13 Days with less than 80% of the half-hourly data are left out of the assimilation. The selection
14 of the sites and the data processing (gap-filling, correction for energy balance closure) are
15 detailed in Kuppel et al. (2014).

16 2.2.3 Atmospheric CO₂ concentrations

17 Atmospheric CO₂ concentration measurements were taken from an ensemble of selected
18 surface stations around the world (Fig. 3). The spatial concentration gradients relate to the
19 integral of the fluxes over large areas and thus allow the optimization of large-scale global
20 patterns of carbon fluxes. These data were taken from the NOAA Earth System Laboratory
21 (ESRL) GLOBALVIEW-CO₂ collaborative product (GLOBALVIEW-CO₂, 2013) and
22 averaged to monthly means. We assimilated the monthly values for 53 sites for the 2002-2004
23 period inclusive in the last step of the assimilation system. Such restricted period (3 years
24 only) was chosen for practical reasons (computing resources) while constructing the
25 ORCHIDAS system. The station locations, indicated in Fig. 3, favor the background
26 conditions i.e. the surrounding air masses are only weakly influenced by local continental
27 sources, such as power plants. The choice of monthly mean is related to the use of pre-
28 calculated transport fields with LMDZ (see §2.3.2).



1 **2.3 Models and optimized parameters**

2 **2.3.1 ORCHIDEE land surface model**

3 In this study we use the ORCHIDEE process-oriented land surface model (Krinner et al.,
4 2005), which computes water, carbon and energy balances at the land surface on a half hourly
5 time step, using a mechanistic description of the physical and biogeochemical processes (see,
6 <http://labex.ipsl.fr/orchidee/>). The model describes the exchange of carbon and water at the
7 leaf level, the allocation of carbon within plant compartments (leaves, roots, heartwood and
8 sapwood), the autotrophic respiration, the production of litter, the plant mortality and the
9 degradation of soil organic matter (CENTURY model; Parton et al., 1988). The hydrological
10 processes for the soil reservoir rely on a double bucket scheme (Ducoudré et al., 1993). The
11 link between the water and carbon modules is via photosynthesis, which is based on the leaf-
12 scale equations of Farquhar et al., (1980) for C3 plants, and Collatz et al. (1992) for C4 plants,
13 that are then integrated over the canopy by assuming an exponential attenuation of light. The
14 FAPAR by each layer of the canopy is calculated from the leaf area index (LAI) following a
15 Beer-Lambert extinction law (Bacour et al., 2015).

16 ORCHIDEE uses the concept of the plant functional type (PFT) to describe the vegetation
17 distribution, with 13 PFTs (including bare soil) that can co-exist in each grid cell. Except for
18 the phenology (see a recent description in MacBean et al., 2015), the equations governing the
19 different processes are generic, but with specific parameter values for each PFT. Detailed
20 descriptions of model equations can be found in numerous publications (see for instance
21 Krinner et al., 2005). ORCHIDEE can be run at either global scale on a grid, or at site-level
22 using point-scale surface meteorological forcing variables. It is the land surface component of
23 the Institut Pierre Simon Laplace (IPSL) Earth System Model, and the version that we used
24 corresponds to CMIP5 simulations in the IPCC 5th Assessment Report (Dufresne et al., 2013).
25 However, in this study the model is run offline using the ERA-Interim 3-hourly near surface
26 meteorological forcing fields (Dee et al., 2011) aggregated at the spatial resolution of the
27 atmospheric transport model for the global simulations (see § 2.3.2). However, when we
28 assimilate in situ flux data in the second step, we force the model with the gap-filled half-
29 hourly meteorological data measured at each site. The global PFT map was derived from the
30 high-resolution IGBP AVHRR land data set (Vérant et al., 2004). The carbon pools are
31 brought to equilibrium (spin-up procedure) for both site and global scale simulations by
32 cycling the available meteorological forcing over several millennia, to ensure that the long-



1 term net carbon flux is close to zero. For the global simulation in third step, we spun-up the
2 model recycling the 1989-1998 meteorology and then used a transient simulation from 1990
3 to 2001 with changing climate (ERA-Interim) and increasing CO₂, before starting the
4 optimization with atmospheric data over 2002-2004. For the site simulations (i.e., the
5 assimilation of flux data) we recycled the available in situ meteorological forcing to spin-up
6 the model, with present day CO₂.

7 2.3.2 LMDz model

8 The transport model used in this study is version 3 of the General Circulation Model (GCM),
9 LMDz (Hourdin and Armengaud, 1999) with a horizontal resolution of 3.75° (longitude) x
10 2.5° (latitude) and 19 sigma-pressure layers up to 3 hPa. The calculated winds (u and v) are
11 relaxed to the ECMWF ERA-40 meteorological data (Uppala et al. 2005) with a relaxation
12 time of 2.5h (guiding) in order to realistically account for large-scale advection (Hourdin et
13 al., 2000). Deep convection is parameterized according to the scheme of Tiedtke (1989) and
14 the turbulent mixing in the planetary boundary layer is based on a local second-order closure
15 formalism. The LMDz GCM model has been widely used to model climate (IPCC, 2007,
16 2013) and its derived transport model has been used for the simulation of chemistry of gas
17 and particles and greenhouse gases distributions (Hauglustaine et al., 2004; Folberth et al.,
18 2005; Bousquet et al. 2005, 2006; Rivier et al., 2006). For this study, we used pre-calculated
19 transport fields, as described in Peylin et al. (2005), that correspond to the sensitivity of
20 concentration at each atmospheric site and each month to the surface flux of each model grid-
21 cell for each day (often called influence functions). The sensitivities (using inter-annual
22 winds) were calculated with the “retro-transport” formulation implemented in the LMDz
23 transport model (Hourdin et al. 2006). This approach decreases the computing time of the
24 optimization compared to the use of the full forward LMDz model at each iteration, as the
25 transport is replaced by a matrix multiplication with the vector of surface fluxes. Note that the
26 initial 3D state of the atmospheric concentrations was be defined from Chevallier et al. (2010)

27 2.3.3 Parameters optimized

28 The optimized parameters are described in Table 1, and their prior values, uncertainty and
29 range are given in Table 2. In the most recent studies using ORCHIDAS at site scales a large
30 set of ORCHIDEE parameters has been optimized (Kuppel et al., 2014; Santaren et al., 2014;
31 Bacour et al., 2015). In this study a smaller set was chosen, based on a Morris sensitivity



1 analysis (Morris, 1991; results not shown) that determines the sensitivity of the NEE and LE
2 to all model parameters at various FLUXNET sites (for each PFT), in order to reduce the
3 computational cost of the global optimization in step 3 (see §2.5). We considered 9 PFT-
4 dependent and 4 “global” (i.e. non PFT-dependent) parameters that control mostly the fast
5 carbon processes (diurnal to seasonal). In addition, we introduced a new parameter, K_{soilC} , to
6 scale the initial values (after spin-up) of the modeled slow and passive soil carbon pools, in
7 order to take account of all the historical effects not accounted for in the model that would
8 result in a disequilibrium of these pools in reality. For the site-specific optimizations with
9 FLUXNET data, we have one $K_{soilC,site}$ parameter per site. For the global scale optimization
10 step, we used 30 $K_{soilC,reg}$ parameters corresponding to 30 regions (see Fig. A2), thus the initial
11 soil carbon pools of all pixels within each region were scaled by the same value. The prior
12 value for all K_{soilC} parameters was set to one, i.e. the default state of soil carbon pools is
13 assumed to be in equilibrium.

14 Overall (including all PFT-dependent parameters), we optimize 16 parameters related to
15 phenology, 36 to photosynthesis, 3 to respiration, 1 to the energy budget, 78 soil C pool
16 scalars (one for each FLUXNET site), and 30 regional soil C pool scalars for the global
17 simulations – a total of 184 parameters. Note that the soil C pool multipliers at the FLUXNET
18 sites are independent from the regional C pool multipliers, as the history of soil carbon over
19 large eco-regions of several millions square kilometers is rather heterogeneous (as it is mainly
20 related to previous land use changes), and most likely, the FLUXNET sites are not
21 representative of larger regions in terms of the soil carbon disequilibrium. The prior standard
22 deviation for each parameter is equal to 40% of the parameter range (lower and higher
23 boundaries) prescribed for each parameter following Kuppel et al. (2012). The parameter
24 ranges were specified following expert judgment of their meaning in the ORCHIDEE
25 equations and based on literature reviews or databases (such as TRY, Kattge et al., 2011).

26 **2.4 System description: a step-wise approach**

27 **2.4.1 Stepwise assimilation of three data streams**

28 The ORCHIDAS system relies on a stepwise assimilation of the three data streams described
29 in section 2.2. Figure 2 illustrates the flow of information in this sequential approach:

30 **Step 1 – Assimilation of MODIS-NDVI:** Four parameters related to the seasonal cycle of the
31 vegetation (phenology) are optimized for the temperate and boreal deciduous PFTs (TeBD,



1 BoND, BoBD and NC3 – see caption of Table 2). These four deciduous PFTs alone are
2 considered in step 1 in this ORCHIDAS version because the tropical deciduous phenology
3 modules in ORCHIDEE require further modifications to improve the functions that control
4 leaf growth and fall in response to water availability (MacBean et al., 2015). Evergreen PFTs
5 were also not considered, as there are no phenology modules related to these PFTs in the
6 model. The procedure is similar to that described in detail in MacBean et al. (2015) and
7 therefore only briefly recalled here. A simple linear relationship between the modeled
8 Fraction of Absorbed Photosynthetically Active Radiation (FAPAR) and MODIS-NDVI
9 observations is assumed, based on studies such as Knyazikhin et al. (1998). Following Bacour
10 et al. (2015), we use only the temporal information in the NDVI observations and not the
11 actual values, and thus we normalized both the model FAPAR output and the NDVI
12 observations to their 5th and 95th percentiles. The model was run for fifteen randomly selected
13 grid cells for each of the four PFTs using the ERA-Interim meteorological forcing. Only grid
14 cells that included vegetation fraction of greater than 60% for the PFT optimized were
15 considered. The fifteen sites for each PFT were included in one optimization for each PFT
16 following a multi-site approach, in which all observations are used simultaneously to optimize
17 the model parameters. The optimized parameters are described in Table 1. They correspond to
18 a scalar on the growing degree days (GDD) threshold for the start of the vegetation ($K_{pheno,crit}$),
19 a parameter controlling the use of carbohydrate reserve during the start of leaf growth
20 ($K_{lai,happy}$), a temperature threshold for the onset of leaf senescence (CT_{senes}) and the critical
21 age for leaves ($L_{agecrit}$).

22 **Step 2 – Assimilation of FLUXNET data:** Mean daily NEE and LE flux measurements for 78
23 sites, including up to 10 years worth of data for each site, are used to optimize a set of model
24 parameters controlling the fast carbon and water processes (photosynthesis, respiration,
25 phenology – see Table 1). The site selection and the choice of a daily time step are described
26 in more details in Kuppel et al. (2014). These sites cover 7 of the PFTs in ORCHIDEE (see
27 Table 2). The posterior parameter values of the four phenology parameters derived in step 1,
28 and their associated uncertainties, are input as prior information in step 2. For the additional
29 parameters, the default ORCHIDEE values are used for the prior and the uncertainties are set
30 as described in §2.3.3. A multi-site optimization is performed for each PFT independently as
31 in step 1. Global parameters, i.e. those that are not PFT-dependent, were optimized for each
32 PFT and the mean across all PFTs was then calculated to define the prior parameter vector in
33 step 3 of the assimilation with atmospheric CO₂ data (at global scale). Such an approach was



1 chosen to allow us to optimize all PFTs in parallel and therefore to simplify the assimilation
2 process.

3 **Step 3 – Assimilation of atmospheric CO₂ concentrations:** We use monthly mean CO₂
4 concentrations from 53 surface stations over three years (2002-2004) to provide a large-scale
5 constraint to the land surface fluxes (i.e. to match the global CO₂ growth rate, mean seasonal
6 cycle and its latitudinal variation, as well as the spatial gradients between stations). We use
7 the LMDz atmospheric transport model (see §2.3.2) to assimilate these observations. The set
8 of parameters optimized in step 2 are included in step 3, except for the albedo scaling
9 parameter ($K_{albedo,veg}$), as the net carbon fluxes are only weakly sensitive to that parameter. We
10 used the posterior parameter distributions from step 2 (parameter optimal values and
11 associated uncertainties) as prior information for step 3, and expanded the parameter vector to
12 include the 30 K_{soilC} parameters that scale the initial soil carbon pools for large “spatially-
13 coherent regions” (see §2.1.2 and Fig. A2). The air-sea fluxes and fossil fuel and biomass
14 burning emissions are also accounted for (but not optimized) in this final step, in order to
15 close the global carbon budget within the atmospheric transport model (see §2.5).

16 2.4.2 Optimization procedure (for all steps):

17 In each step the statistically optimal parameter values are derived with an optimization
18 procedure following the principle of the 4-D variational assimilation systems (developed for
19 numerical weather prediction), using a tangent linear operator (and finite differences for a few
20 parameters, Bacour et al. 2015). Assuming that the errors associated with the parameters, the
21 observations and the model outputs follow Gaussian distributions, the optimal parameter set
22 corresponds to the minimum of a cost function, $J(\mathbf{x})$, that measures the mismatch between i)
23 the observations (\mathbf{y}) and the corresponding model outputs, $H(\mathbf{x})$, (where H is the model
24 operator), and ii) the a priori (\mathbf{x}_b) and optimized parameters (\mathbf{x}), weighted by their error
25 covariance matrices (Tarantola, 1987; Eq. (1)):

$$26 \quad J(\mathbf{x}) = \frac{1}{2} \left[(H(\mathbf{x}) - \mathbf{y})^T \mathbf{R}^{-1} (H(\mathbf{x}) - \mathbf{y}) + (\mathbf{x} - \mathbf{x}_b)^T \mathbf{B}^{-1} (\mathbf{x} - \mathbf{x}_b) \right] \quad (1)$$

27 \mathbf{R} represents the error variance/covariance matrix associated with the observations and \mathbf{B} the
28 parameter prior error variance/covariance matrix. At each step a different cost function is
29 defined with the observations and parameters related to that step (see Fig. 2). \mathbf{R} includes the
30 errors on the measurements, the model structure and the meteorological forcing. Model errors
31 are rather difficult to assess and may be much larger than the measurement error itself.



1 Therefore we chose to focus on the structural error and defined the variances in \mathbf{R} as the mean
2 squared difference between the prior model and the observations for both step 1 and step 2
3 (see Kuppel et al. 2013). For simplicity we assumed that the observation error covariances
4 were independent between the different observations and therefore we kept \mathbf{R} diagonal (off-
5 diagonal terms set to zero), given the rapid decline of the model error auto-correlation beyond
6 one day (Kuppel et al., 2013). For step 3 we used a different approach, given the large bias in
7 the model a priori concentrations, and therefore followed the methodology of Peylin et al.
8 (2005) based on the observed and modeled temporal concentration variability at each site.
9 Overall, data uncertainties in the optimization procedure are between 0.1 and 0.45 for NDVI
10 (step 1), around 3-6 $\text{gCm}^{-2}\text{d}^{-1}$ for daily NEE, and 15-30 Wm^{-2} for daily LE (step 2) and
11 between 0.1 ppm at remote oceanic stations and 4 ppm at continental sites (step 3).

12 The determination of the optimal parameter vector that minimizes $J(\mathbf{x})$ is performed by
13 successive calls to a “gradient-descent” minimization algorithm L-BFGS-B (Byrd et al.
14 1995), which is specifically dedicated to solving large nonlinear optimization problems that
15 are subject to simple bounds on the parameter values. In order to find the minimum of $J(\mathbf{x})$ the
16 algorithm requires the gradient of $J(\mathbf{x})$ (Jacobian) with respect to the ORCHIDEE parameters.
17 L-BFGS-B explores each parameter space simultaneously along the gradient of the cost
18 function, and uses an approximation of the Hessian (second derivative) of $J(\mathbf{x})$, which is
19 updated at each iteration, to define the size of the step at each iteration.

20 For step 1 and step 2, the model “ H ” simply corresponds to the land surface model: $H = S$,
21 with $S(x)$ representing the surface fluxes from the ORCHIDEE model using the parameter
22 vector, x . The gradients $dJ(x)/dx$ are calculated from the tangent linear model of ORCHIDEE
23 that was automatically generated by the numerical Transformation of Algorithms in Fortran
24 (www.fastopt.de), except for two parameters linked to the model phenology for which the
25 threshold functions prevent the use of a linear approximation. A finite difference approach
26 was used for these parameters.

27 For step 3, the model “ H ” corresponds to the composition of the land surface model with the
28 transport model: $H = T \circ S$ (see Kaminski et al. (2002) for details), with T representing the
29 LMDz transport model. T is a linear operator for a non-reactive species: $T(S(\mathbf{x})) = \mathbf{T} \cdot S(\mathbf{x})$,
30 with \mathbf{T} a matrix representation of the transport operator. It corresponds to the sensitivity of
31 CO_2 concentrations at each site and for each month to the daily surface flux of each model
32 grid-cell. It is then combined with the ORCHIDEE surface fluxes ($S(\mathbf{x})$) through a matrix



1 multiplication to derive $H(\mathbf{x})$. \mathbf{T} has been pre-calculated for all atmospheric stations in order
2 to save computing time during the iterative optimization process (see §2.3.2). For simplicity
3 we use monthly mean values for both the fluxes $S(\mathbf{x})$ and the transport sensitivities (\mathbf{T}) in the
4 computation of the gradients $dJ(\mathbf{x})/d\mathbf{x}$.

5 For improved minimization efficiency, the inversion is preconditioned (following Chevallier
6 et al., 2005), which means that L-BFGS-B is fed with the control variable $\mathbf{x}' = \mathbf{B}^{-1/2}(\mathbf{x} -$
7 $\mathbf{x}_b)$, rather than with \mathbf{x} , as this homogenizes the range of variation of the optimized
8 parameters.

9 2.4.3 Error estimation

10 The posterior parameter error covariance matrix, \mathbf{A} , can be approximated to the inverse
11 Hessian of the cost function, using the linearity assumption at the minimum of $J(\mathbf{x})$. It can be
12 derived with the Jacobian of the model at the end of the minimization (i.e. the last iteration),
13 \mathbf{H}_∞ , following Tarantola (1987):

$$14 \quad \mathbf{A} = [\mathbf{H}_\infty^T \cdot \mathbf{R}^{-1} \cdot \mathbf{H}_\infty + \mathbf{B}^{-1}]^{-1} \quad (4)$$

15 Note that for step 3, $\mathbf{H}_\infty = \mathbf{T} \cdot \mathbf{S}_\infty$, where \mathbf{S}_∞ is the Jacobian of the ORCHIDEE model at the
16 last iteration. The posterior parameter error covariance, \mathbf{A} , can then be propagated into the
17 model state variable space (e.g. carbon fluxes and stocks), \mathbf{A}_{var} , given the following matrix
18 product (only used for the global fluxes in step 3):

$$19 \quad \mathbf{A}_{\text{var}} = \mathbf{S}_\infty \cdot \mathbf{A} \cdot \mathbf{S}_\infty^T \quad (5)$$

20 The square root of the diagonal elements of \mathbf{A}_{var} corresponds to the standard deviation, σ , of
21 carbon fluxes/stocks for each grid cell. In order to evaluate the knowledge improvement
22 brought by the assimilation, the uncertainty reduction between the prior (σ_{prior}) and posterior
23 (σ_{post}) is determined as $1 - (\sigma_{\text{post}} / \sigma_{\text{prior}})$.

24 2.4.4 Additional processing steps

25 In order to analyze the fit to the atmospheric CO₂ concentrations in terms of the trend and
26 seasonal cycle, we decomposed the observed and modeled time series by fitting the monthly
27 mean values with a function comprising a first order polynomial term and four harmonics,
28 and then filtered the residuals of that function in frequency space using a low pass filter
29 (cutoff frequency of 65 days), following Thoning et al. (1989). The polynomial term defines



1 the trend while the seasonal cycle corresponds to the harmonics plus the filtered residuals.
2 The amplitude of the seasonal cycle is then calculated as the difference between the monthly
3 mean maximum and minimum for year 2003 (middle year of the optimization period).
4 Finally, we define the Carbon Uptake Period (CUP) as the sum of the days when the values of
5 the seasonal cycle extracted from the CO₂ concentration time series are negative (a negative
6 convention being for CO₂ removed from the atmosphere).

7 **2.5 Prescribed emissions of carbon fluxes**

8 In this section we describe the other components of the carbon cycle (apart from the surface C
9 exchange with terrestrial vegetation) that are imposed in step 3 of the optimization process as
10 fixed fluxes.

11 **2.5.1 Ocean fluxes**

12 The ocean contributes to an uptake of about a quarter to a third of the anthropogenic
13 emissions with significant year-to-year variations (Sabine et al., 2004). For this version of the
14 ORCHIDAS, we developed a statistical model to estimate the spatial and temporal variations
15 (monthly) of the ocean surface CO₂ partial pressure (pCO₂^{SW}), and from that the air-sea CO₂
16 fluxes, using satellite and in-situ ocean measurements and model outputs. The air-sea CO₂
17 fluxes are primarily controlled by the ocean biogeochemistry, the horizontal transport and the
18 vertical mixing in the ocean and the atmospheric forcing (CO₂ partial pressure at the interface
19 to the water (pCO₂^{ATM}) and wind); they can be defined from the following equation:

$$20 \quad F_{CO_2} = K_{ex} \times (pCO_2^{SW} - pCO_2^{ATM}) \quad (6)$$

21 where K_{ex} stands for the exchange coefficient and F_{CO_2} the CO₂ flux from the sea surface
22 water to the atmosphere.

23 The computation of pCO₂^{SW} is performed using feedforward artificial neural networks, i.e., a
24 MultiLayer Perceptron (MLP; Rosenblatt 1958) that maps a set of spatio-temporal variables
25 (input) onto observed pCO₂^{SW} data. We use a two-step approach: the first step to derive a
26 monthly mean pCO₂^{SW} climatology and the second step to correct for the year to year
27 variations. The pCO₂^{SW} observations come from the Global Surface pCO₂ (Lamont-Doherty
28 Earth Observatory, LDEO) Database (Takahashi et al., 2009). The inputs are a series of
29 variables connected to the spatial and temporal evolution of pCO₂^{SW}: i) sea surface
30 temperature (SST), sea surface salinity (SSS) and mixed layer depth (MLD) as a proxy of the



1 physical processes (these fields come from a re-analysis of the NEMO-OPA ocean model
 2 (Madec et al., 1998) with the assimilation of several satellite observations), ii) chlorophyll
 3 content from SeaWiFS, as a proxy of the biogeochemistry (CHL), iii) spatial and temporal
 4 coordinates (LAT, LON and MONTH) and the pCO_2^{SW} at previous time step (recursive
 5 approach), i.e.:

$$6 \quad \{pCO_2^{SW}\}_m = MLP(\{SST, SSS, MLD, CHL\}_{(m-2, m-1, m)}, \{pCO_2^{SW}\}_{(m-2, m-1)} \text{ LAT, LON}) \quad (7)$$

7 with m the monthly index. The available data (20685 points) is divided into two parts: 75% is
 8 used for the learning phase of the ANN and 25% for the validation phase. The overall
 9 performance of the neural network for extrapolating the spatial and seasonal distribution of
 10 pCO_2^{SW} is relatively good, with a spatio-temporal correlation coefficient between the
 11 estimated pCO_2^{SW} and the independent observations of 0.80.

12 pCO_2^{ATM} at the surface are taken from a global simulation of atmospheric CO_2 concentrations
 13 with optimized fluxes (Chevallier et al. 2010). K_{ex} is defined as the product of k , the gas
 14 transfer velocity, taken from the Wanninkhof (1992) formulation using winds from ERA-
 15 Interim, and s , the solubility of CO_2 , taken from the Weiss formulation (Weiss, 1974). The
 16 system is further described in Roedenbeck et al. (2015). The global ocean sink is around 1.60
 17 $PgC.yr^{-1}$ for the period 2002-2004 used in step 3. It is within the uncertainty range of the
 18 Global Carbon Project estimates (Le Quéré et al., 2015) if we account for the pre-industrial
 19 ocean out-gazing flux included in our “delta pCO_2 ” approach. Its temporal evolution is
 20 depicted in Fig. A1

21 2.5.2 Global fossil fuel and cement CO_2 emissions

22 We have used a recently developed CO_2 fossil fuel and cement emission product (see
 23 <http://www.carbones.eu/wcmqs/>) that covers the period 1980 to 2009 at the spatial resolution
 24 of $1^\circ \times 1^\circ$ and hourly resolution. It is based on EDGAR v4.2 spatially distributed annual
 25 emissions (Olivier et al., 2012) and time profiles developed by the University of Stuttgart. It
 26 was assumed that EDGAR delivers the most up-to-date spatially distributed and sector
 27 specific emissions, based on national emission statistics. IER further applied country and
 28 sector specific time profiles, taking into account monthly, daily, and hourly variations
 29 depending on the sector. The derivation of the time profiles relies on different data sets (e.g.
 30 Eurostat, ENSTO-E, UN monthly bulletin) as well as correlations between recorded
 31 emissions and climate variables. Currently, the temporal profiles are derived mostly from data



1 sets over Europe that were extrapolated using information on climate zone, average monthly
2 temperature for the seasonal cycles and similarity in socio-economic parameters like
3 population and Gross Domestic Product (GDP). The annual mean emission for the period
4 2002-2004 is 7.14 PgC.yr^{-1} .

5 2.5.3 Fire emissions:

6 Fire emissions data from the Global Fire Data (GFEDv3 –
7 <http://www.globalfiredata.org/Data/index.html>) are prescribed in the ORCHIDAS. The
8 GFEDv3 data are broken-down into 6 sectors (deforestation, peat fires, savanna fires,
9 agriculture, forest fires, and woodland) that are further grouped into 3 main types. We
10 generated fluxes of CO_2 relevant for typical "burning - regrowth" processes, as detailed in
11 Appendix A2. The first type corresponds to deforestation and peat fires with carbon
12 permanently lost to the atmosphere, the second to agriculture and savannah fires which are
13 assumed to be compensated by a sink during the regrowth period (i.e. with zero annual net
14 emission for each pixel) and the third to woodland and burnt forests which are assumed to be
15 at steady state for a given region (10 sub-continental scale regions) over the period covered by
16 GFEDv2 (i.e. regrowth of nearby forest compensates for the burned forest derived in GFED).
17 The sum of these three components leads to the global flux, with a gross emission around 2.1
18 PgC.yr^{-1} and a net emission after regrowth of only 1.1 PgC.yr^{-1} (Fig. A2 in Appendix) that is
19 prescribed to the ORCHIDAS over the period 2002-2004.

20

21 3 Results

22 3.1 Model fit to the data

23 3.1.1 Step 1: assimilation of MODIS NDVI data

24 The optimization in Step 1 resulted in an improved fit to the MODIS NDVI observations for
25 the four PFTs considered (TeBD, BoND, BoBD, NC3, see §2.4) as seen in Fig. 4, which
26 shows the mean seasonal cycle across the 2000-2008 period for all sites for each PFT. The
27 most prominent change after the optimization was a substantially shorter growing season for
28 all PFTs due to an earlier start of leaf senescence. This was caused by both a lower critical
29 leaf age ($L_{agecrit}$) and a higher temperature threshold for senescence (CT_{senes}) (Fig. 8). The
30 impact on the start of leaf growth was less dramatic but important nonetheless, with a shift to



1 a later start of leaf growth as a result of an increase in the $K_{pheno,crit}$ parameter which acts as a
2 scalar on the threshold of Growing Degree Days (GDD) used to trigger leaf onset (see
3 Appendix A in MacBean et al., 2015). Overall, a mean reduction in RMSE of 23, 17, 58 and
4 19% was achieved for TeBD, BoBD, BoND trees and NC3 grasses respectively, with the
5 greatest improvement for BoND trees. The mean correlation between the normalized MODIS-
6 NDVI and modeled FAPAR time series over the 2000 – 2008 period increased for TeBD and
7 BoND trees and NC3 grasses (prior and posterior of 0.9 to 0.93, 0.42 to 0.91 and 0.6 to 0.66,
8 respectively). The prior correlation of 0.55 remained similar after the assimilation for BoBD
9 trees.

10 Following the improvement at the sites selected for the optimization, we evaluated the impact
11 for each PFT at the global scale using the global median correlation between the MODIS-
12 NDVI and the model FAPAR time series (from all pixels where the fraction of a given PFT is
13 above 60%, see Maignan et al. 2011). The global correlation increased for BoND trees and
14 NC3 grasses from 0.36 to 0.91 and 0.53 to 0.59 (prior to posterior), respectively. It remains
15 stable for BoBD (0.54) or slightly increased for TeBD (0.88 to 0.89).

16 3.1.2 Step 2: assimilation of FLUXNET data

17 The optimization in Step 2 brings an improvement to the simulated NEE and LE for all seven
18 PFTs considered, with Fig. 5 showing the corresponding PFT-averaged mean NEE seasonal
19 cycles (mean across all sites/years). NEE is overestimated by the prior model for all PFTs on
20 average. This is partly due to the model spin-up procedure, which brings each simulated site
21 to a near equilibrium state with a mean NEE close to zero (i.e. no net carbon sink, see §2.1.1).
22 This bias is significantly corrected by the optimization to match the observed carbon uptake at
23 most sites, notably via the scaling of the initial soil carbon pool content at each site
24 (parameters $K_{soilC,site}$; Table 1) which thus significantly reduces the ecosystem respiration
25 (Kuppel et al., 2014). Overall, the largest reductions of model-data RMSE are found in
26 temperate forests (TeNE, TeBE and TeBD), where the RMSE decreased by more than 25%
27 compared with the prior model. The improvements are less significant for the other PFTs,
28 with RMSE reductions between 10 and 18%.

29 In addition, the optimization increases the NEE seasonal amplitude in temperate evergreen
30 forests (TeNE and TeBE) and temperate broadleaf deciduous forests (TeBD), and reduces the
31 amplitude for boreal needle leaf forest (BoNE) and natural C3 grasses (NC3), in agreement



1 with the observations (except for BoNE where the amplitude decrease is too large). Despite
2 the better model-data agreement for evergreen broadleaf forests (TrBE and TeBE), the
3 optimized model still fails to catch some seasonal features such as a persistent carbon uptake
4 (i.e. negative NEE) in the dry season for the tropical regions (TrBE) and nearly-null carbon
5 exchange in the first months of the year for temperate regions (TeBE). These results are
6 discussed further in Kuppel et al. (2014), who used a similar optimization set-up with a
7 slightly different parameter set – see §2.3.3. Similar improvements, although of smaller
8 amplitude, occur for the latent heat fluxes (not shown).

9 3.1.3 Step 3: assimilation of atmospheric CO₂ data

10 The final optimization step with the atmospheric CO₂ concentrations provides a large
11 improvement of the fit to the observed concentrations at most stations. The cost function J
12 was reduced through the minimization by a factor of 5.7 within 37 iterations.

13 Figure 6 illustrates the simulated concentrations for four stations (representative of different
14 conditions) with the standard prior parameter vector (used in step 1), the posterior vector from
15 step 2 (used as prior in step 3) and the posterior vector from this last step. The improvement
16 in the fit to the observations can be quantified with the reduction in RMSE (from the prior to
17 the posterior of step 3) - the largest reduction is at the South Pole station (73%) and is on
18 average around 25% across all sites. Note that for a few stations the fit is slightly degraded
19 (up to 10%) except for one Pacific site (regular ship measurements around the equator,
20 POCN00) for which there is a 40% degradation, possibly due to small biases in the simulation
21 of the ITCZ position in LMDz. When calculated with respect to the standard prior (used in
22 step 1) the RMSE decrease is slightly larger on average, especially for the northern mid to
23 high latitude stations. For these stations the optimization performed in step 2 with FLUXNET
24 data led to a significant improvement of the mean seasonal cycle amplitude of the
25 atmospheric CO₂ data, as discussed in Kuppel et al. (2014).

26 We then investigated the fit to the observed CO₂ concentrations in terms of the mean seasonal
27 cycle and trend (see section 2.4.4). With only three years of data the mean trend is more
28 difficult to define as it varies between stations; however, the optimization in step 3 increases
29 the net land carbon sink in order to match the observed trend at most stations. If we take the
30 Mauna Loa and South Pole stations that are representative of an integration of the fluxes at
31 hemispheric scales, the prior CO₂ trend of 2.8 and 2.9 ppm.yr⁻¹ respectively, is reduced to 2.1



1 and 2.2 ppm.yr⁻¹ close to the observations (2.1 ppm.yr⁻¹ for both). The left panel of Fig. 7
2 illustrates changes in the amplitude of the simulated seasonal cycle at each station (see
3 definition in §2.4.4). The values correspond to relative changes between the prior and
4 posterior of the absolute difference between observed and modeled amplitude ($(|\Delta A_{post}| -$
5 $|\Delta A_{prior}|)/|\Delta A_{prior}|$). They reveal an improvement in the seasonal cycle amplitude at nearly
6 all stations of the southern hemisphere ($\approx 40\%$ improvement) and at the majority of the
7 northern hemisphere stations ($\approx 15\%$). A few stations in north East Asia (3) and northwest
8 America (4) show a small degradation of the amplitude ($\approx 15\%$). The right panel of Fig. 7
9 displays the changes of the Carbon Uptake Period (CUP, see §2.4.4) expressed in terms of
10 relative changes between prior and posterior of the absolute values of model-data differences,
11 as for the amplitude. Most stations reveal an improvement of the CUP of around 20%, which
12 is slightly lower than the improvement for the seasonal cycle amplitude.

13 3.2 Consistency of the step-wise optimization

14 The main issue with a step-wise data assimilation system (versus a simultaneous approach)
15 concerns the potential degradation of the model – data fit for the different data streams that
16 are assimilated in previous steps. We noted that CO₂ concentrations were already improved
17 when NDVI and FLUXNET data are assimilated (see §3.1.3), but we need to check if the
18 final parameter set from step 3 leads to a degradation of the fit to MODIS-NDVI (step 1) and
19 to FLUXNET (step 2) data compared to the fit achieved during the respective steps and, in the
20 case of a significant degradation, if we still have an improvement for these data streams
21 compared to the initial *a priori* fit.

22 Figure 8 summarizes the performance of the model data fit for MODIS-NDVI and
23 FLUXNET-NEE data streams for the prior and posterior of each step by evaluating the
24 median RMSE between the model and the observations across all sites. The values are
25 calculated for each PFT separately. In this section, we keep in mind the fact that we do not
26 optimize the same PFTs with FLUXNET data and with MODIS-NDVI.

27 Consistency for MODIS-NDVI

28 First, we notice again the significant RMSE reduction between the prior and step 1, as
29 discussed in section 3.1. The fit to MODIS-NDVI (normalized data) for step 2 and step 3
30 shows only a significant degradation (increased RMSE) for temperate broadleaf deciduous



1 forest (TeBD), which decreases the improvement achieved in step 1 (compared to the prior)
2 by a factor of two. A marginal degradation for natural C3 grassland (NC3) is obtained after
3 step 3: the RMSE increases slightly from 0.24 to 0.26, but is still lower than the prior value of
4 0.3. There is no degradation for boreal needleleaf deciduous trees (BoND), but a surprising
5 small decrease of the RMSE (i.e. improvement in the model-data fit) for boreal broadleaf
6 deciduous forests (BoBD; from 0.26 to 0.23). In this latter case, the use of additional
7 parameters in steps 2 and 3 (see §2.4) allows further improvement of the fit between the
8 normalized FAPAR and NDVI time series. On average the degradation of the fit to NDVI is
9 thus very limited in step 2 and step 3, and in no case is the RMSE worse than the prior.

10 Consistency for FLUXNET data

11 Figure 8 again reveals the significant reduction of the RMSEs for NEE in step 2 compared to
12 the standard prior or to the posterior of step 1 for most PFTs, except BoNE. We see only
13 small degradations (increases) in RMSE between step 2 and step 3 for temperate needle leaf
14 evergreen forests (TeNE: from 1.06 to 1.13 $\text{gC.m}^2.\text{d}^{-1}$), temperate broadleaf evergreen forests
15 (TeBE: from 1.06 to 1.09 $\text{gC.m}^2.\text{d}^{-1}$), temperate broadleaf deciduous forests (TeBD: from 1.06
16 to 1.13 $\text{gC.m}^2.\text{d}^{-1}$) and boreal needle leaf evergreen forests (BoNE: from 0.59 to 0.60 $\text{gC.m}^2.\text{d}^{-1}$).
17 An interesting feature to notice is that the NEE RMSE increases between the prior to the
18 posterior of step 1 (i.e. before NEE has been used in the optimization in step 2). Using remote
19 sensing products of vegetation activity or “greenness” (e.g. NDVI) to calibrate the phenology
20 of ORCHIDEE thus does not always improve the simulated NEE, the possible reasons for
21 which were discussed in Bacour et al. (2015) who used the same LSM and assimilation
22 system. Overall, the reduction of the improvement of the model data fit to the NEE (step 3
23 versus step 2) is marginal (limited to a few percent), thus further suggesting the consistency of
24 our step-wise approach. Similar results are also obtained for the latent heat flux (LE) (not
25 shown).

26 3.3 Estimated parameter values

27 We now discuss the parameter values, focusing on the changes obtained through the
28 successive steps. Figure 9 presents the prior and posterior values for each parameter together
29 with their associated uncertainties (estimated through Eq. (4)) and the allowed range of
30 variation. Note that nine parameters are PFT-dependent while four are global (non PFT-
31 dependent). For the global non PFT-dependent parameters included in the step 2 optimization,



1 we took the mean value (see §2.4) as the prior for step 3. Note finally that the parameters
2 linked to the initial soil carbon pools ($K_{soilC,site}$, $K_{soilC,reg}$) are not shown in Fig. 9 as they are
3 too numerous (though see Fig. A2 for the regional values).

4 If we first consider the phenology parameters optimized in step 1 ($K_{lai,happy}$, $K_{pheno,crit}$, L_{age_crit} ,
5 $C_{T,senes}$; see Table 1) we see that for most PFTs they do not change significantly between step
6 1 and step 3, although they differ significantly from the prior. There are few exceptions,
7 including $K_{pheno,crit}$ (the threshold for the start of the growing season) for Boreal Needleleaf
8 deciduous forests and $K_{lai,happy}$ (level of carbohydrate use) for temperate and boreal broadleaf
9 deciduous forests (TeBD, BoBD). Note that a few phenology parameters hit one of the
10 physical bounds, which may indicate model structural errors or model parameter equifinality.
11 For most phenology parameters, the uncertainties are strongly reduced during their first
12 optimization (step 1), except for a few cases like $C_{T,senes}$ for C3 grassland. Note finally that a
13 more in depth spatio-temporal validation demonstrated the generality of the optimized
14 phenology parameters across multiple sites (for further details see MacBean et al., 2015).

15 For the photosynthesis parameters (V_{cmax} , $G_{s,slope}$, C_{Topt} , SLA , f_{stress} ; see Table 1), we find a
16 similar result with little changes between step 2 and step 3, but still a significant departure
17 from the prior values. Most parameters are well constrained by the inversion, with posterior
18 uncertainties that are greatly reduced compared to the prior, except for Tropical broadleaf
19 rain-green forest (TrBR) and Boreal needle-leaf deciduous forest (BoND) for which there is
20 nearly no constraint on $G_{s,slope}$ and f_{stress} (see Table 1).

21 The non-PFT dependent respiration-related parameters ($HR_{H,c}$, Q_{10} , MR_b) mostly change in
22 step 2 and only slightly in step 3 (with an additional reduction of the error) in order to fit the
23 large-scale constraint provided by the atmospheric observations. The values of the scalar of
24 the initial soil carbon pools size for the FLUXNET site optimizations ($K_{soilC,site}$, one parameter
25 per site, not shown) were largely reduced on average, in order to decrease the heterotrophic
26 respiration (see Kuppel et al. (2014) for additional discussion). In step 3 the same scalars that
27 were defined for an ensemble of large regions ($K_{soilC,reg}$) have decreased in the southern
28 hemisphere (less than 10%; see Fig. A2 in Appendix A3) and slightly increased in the
29 northern hemisphere (around 1%), to achieve a better match to the atmospheric CO₂ growth
30 rate and north-south gradient. Importantly, we notice that for step 3, the fit to the atmospheric
31 CO₂ concentrations (especially to the trend) is achieved mainly by small changes in $K_{soilC,reg}$
32 and in few other respiration-related parameters. Note finally that the parameter controlling the



1 albedo ($K_{albedo,veg}$), modified with the FLUXNET observations only (see §2.4), is not well
2 constrained by the optimization (only a small reduction in uncertainty). Overall, most
3 parameters appear to be well constrained when first optimized, with only small changes in the
4 following steps. This suggests that the targeting of different parameter subspaces in the
5 various optimisation steps was well-chosen.

6 **3.4 Estimated carbon fluxes and uncertainties**

7 The main objective of a carbon cycle data assimilation procedure is to improve the simulated
8 land surface net and gross carbon fluxes as well as the simulated carbon stocks for both
9 present and future conditions. Given the focus of the paper, i.e. to describe the potential of a
10 step-wise global carbon cycle data assimilation system, we only discuss a few large-scale
11 features of the optimized annual net and gross carbon fluxes, as well as one of the carbon
12 stock variables (forest above-ground biomass). We thus do not discuss the inter-annual flux
13 variability.

14 **Large-scale annual mean net fluxes**

15 The mean annual carbon fluxes (NEE) for the globe, northern extra tropics, tropics, and
16 southern extra tropics are reported in Fig. 10 for the 2000-2009 decade for the prior and
17 posterior model simulations for all steps together with one other estimate of the land surface
18 residual from the Global Carbon Project (GCP, Le Quéré et al, 2015) over the same decade.
19 The prior NEE indicates a total sink of 0.5 PgC.yr^{-1} over this period, from both the northern
20 and tropical regions. Such a prior sink is due to the increase of atmospheric CO_2 during the
21 transient simulation following the spin-up (1990-2009, see section 2.3.1) and climate
22 variability. Changes from the prior are rather small in step 1 (assimilation of MODIS NDVI)
23 with an increase of the northern sink by 0.12 PgC.yr^{-1} and a decrease of the tropical sink by
24 0.05 PgC.yr^{-1} (Fig. 10). Step 2 (assimilation of FLUXNET data) does not significantly change
25 the net C sink from step 1, with only a small increase in the tropical sink by 0.1 PgC.yr^{-1} . The
26 assimilation of atmospheric CO_2 data in step 3 provides a large-scale constraint, as already
27 discussed, and increases the total land sink to 2.2 PgC.yr^{-1} , a value in much closer agreement
28 with the estimate by the GCP. A larger tropical NEE uptake is responsible for the large
29 increase of the terrestrial biosphere C sink (from 0.3 PgC.yr^{-1} in step 2 to 1.7 PgC.yr^{-1}) while
30 the sink in the north increases by less than 0.1 PgC.yr^{-1} . The comparison with the GCP
31 number should be taken with caution. The ORCHIDAS estimated sink include all effects



1 (natural and anthropogenic), since that we used atmospheric CO₂ as a global constraint. Thus
2 the optimized parameters must account for any missing processes like nitrogen limitation or a
3 proper description of agricultural processes and management. However, the GCP number is
4 only for the anthropogenic uptake, excluding the pre-industrial sink due for instance to river
5 export of carbon (around 0.45 PgC.yr⁻¹; Regnier et al. 2013).

6 Spatial distribution of the annual mean net flux

7 Figure 11 shows the spatial distribution of NEE averaged over 2002-2004 for the standard
8 prior and posterior after step 3. The large tropical net land carbon sink that is inferred in step
9 3 is mainly explained by an increase of the carbon uptake for the tropical forests of the
10 Amazon basin and equatorial Africa, as well as a decrease of the carbon release on the
11 southern edge of the Amazon basin (tropical rain-green forests and grasses). In the northern
12 mid-high latitudes only smaller regional changes from the prior occur. For Europe, most of
13 north Asia and Canada, the strength of the C sink slightly decreased from the prior (up to 30
14 gC.m².yr⁻¹), while for central USA the strength of C source slightly decreased. If we now
15 consider the uncertainties on the net annual carbon flux that arise from the parameter
16 uncertainty (second row of Fig. 10; Eq. (5)) we observe a very large reduction (compared to
17 the prior) in the monthly flux uncertainty (averaged over the three years used in step 3) over
18 tropical forests. It is reduced by a factor four with initial values around 150 gC.m².y⁻¹ and
19 posterior values between 22 and 66 gC.m².y⁻¹. For mid-to-high latitude boreal ecosystems, the
20 uncertainty reduction is smaller, but the posterior errors are slightly lower than over the
21 tropics, between 18 and 55 gC.m².y⁻¹.

22 Large-scale annual mean Gross Primary Production (GPP)

23 For the GPP the relative changes from the prior are smaller than for the NEE (Fig. 10b). The
24 mean annual total GPP is 169, 160, 154 and 156 PgC.yr⁻¹ for the prior and posterior of step 1,
25 2 and 3, respectively. The small overall decrease (8%) brings the GPP slightly closer to the
26 estimate by Jung et al. (2011), around 120 PgC.yr⁻¹, based on a statistical Model Tree
27 Ensemble (MTE) that upscaled the in-situ flux measurements (resulting from the partition of
28 measured NEE into GPP and total ecosystem respiration). The decrease in GPP occurs mainly
29 in the northern hemisphere after step 1 (-10 PgC.yr⁻¹) following the decrease in V_{max} (Fig. 9)
30 while it remains relatively stable over the tropics across all steps. Note that i) the study of
31 Welp et al. (2011) suggests a GPP around 150 PgC.yr⁻¹, similar to our estimate, based on



1 measurements of $^{18}\text{O}/^{16}\text{O}$ ratio in atmospheric CO_2 and ii) Koffi et al. (2012) found optimized
2 GPP of $146 \text{ PgC}\cdot\text{yr}^{-1}$ from a CCDAS using the BETHY model.

3 Above-ground forest biomass

4 We analyze the impact of the optimization on the forest above-ground biomass at equilibrium
5 (i.e. after spin-up; see Fig. 12) as an example of the impact on model C stocks, and compare
6 the simulated values, for the same three latitude bands than above, to the estimate based on
7 field observations and remote sensing data. This product, which was produced in the
8 GEOCARBON project (and thus is referred to by the same name), integrates a pan-tropical
9 biomass map (Avitabile et al., 2016) with a boreal forest biomass product (Santoro et al.,
10 2015).

11 For the northern extra tropics, the prior above-ground C stock ($\sim 180 \text{ PgC}$) is reduced by the
12 optimization to 140 PgC , mainly through the decrease of the growing season length in step 1
13 with the assimilation of MODIS-NDVI. The significant decrease in GPP during step 1 (18 %)
14 led indeed to a similar decrease of the forest biomass (16%). Parameter changes through the
15 assimilation of FLUXNET and CO_2 data have a smaller impact (a change of less than 5 PgC).
16 These changes in the northern extra tropics bring the estimates by the ORCHIDEE model
17 closer to the satellite-based GEOCARBON product ($\sim 120 \text{ PgC}$).

18 For the tropics, while there is nearly no change with the assimilation of MODIS-NDVI in step
19 1, the use of FLUXNET data leads to a significant increase of the forest above ground
20 biomass (close to 25%). Such an increase does not correspond to an increase of the GPP (Fig.
21 10) but to changes in the autotrophic respiration parameter (MR_b) that lead to a decrease of
22 autotrophic respiration and an increase of NPP. The value does not change through step 3 and
23 remains significantly higher than the data-driven estimate. Note however that the lower value
24 in the GEOCARBON product could be partly due to the fact that we did not yet account for
25 land use effects in the CCDAS, such as deforestation in the Amazon.

26

27 4 Discussion and conclusions

28 In this paper we have described a first global Carbon Cycle Data Assimilation System that
29 assimilates three major carbon-cycle data streams, namely MODIS-NDVI observations of
30 vegetation activity at 60 sites, FLUXNET NEE and LE measurements at more than 70 sites,
31 and atmospheric CO_2 concentrations at 53 surface stations over three years in order to



1 optimize the C cycle parameters of the ORCHIDEE process-based LSM (ORCHIDEE-
2 CCDAS). The study details the concept, the implementation and the main results of a
3 stepwise assimilation approach where the data streams have been assimilated in three
4 successive steps (including a propagation of the retrieved posterior parameter distributions
5 from one step to the next).

6 The assimilation of MODIS-NDVI (60 grid cell points, step 1) improved the phenology of
7 ORCHIDEE with a significant reduction of the growing season length and thus a direct
8 impact on the GPP. The results are similar to those presented in MacBean et al. (2015) who
9 describe the impact of such optimization on the global FAPAR simulations and the
10 improvement in the bias of the calculated leaf onset and senescence dates in more detail. The
11 optimization with FLUXNET data (78 sites, step 2) led to large improvements in the seasonal
12 cycle of the NEE and LE fluxes, constraining primarily the photosynthetic processes. Some
13 discrepancies remain due to site heterogeneity (i.e. different species and edaphic conditions)
14 that the model does not fully capture, and due to missing processes in the model (see Kuppel
15 et al. (2014) for a more thorough discussion). However, without the assimilation of
16 atmospheric CO₂ concentrations, the global (and continental) net carbon balance after step 2
17 was still clearly outside the admitted range (as reported by the GCP in Le Quéré et al. (2015),
18 which highlights the importance of assimilating a data stream such as this that provides
19 information at larger scales (constraining large scale respiration fluxes). The use of
20 atmospheric CO₂ concentration as an overall constraint in step 3 was technically challenging
21 as it required the coupling of ORCHIDEE with an atmospheric transport model in forward
22 and reverse mode (i.e. to compute the cost function and its gradients at each step of the
23 minimization process). As a result of the final step, we were able to fit the atmospheric CO₂
24 growth rate and thus to derive a land C sink compatible with current best estimates from the
25 GCP. The assimilation of CO₂ data also slightly changed the seasonality of the NEE, which
26 improved the fit to the atmospheric CO₂ seasonal cycle. Note that assimilating only CO₂ data
27 would lead to a similar global land C sink but with a different model parameter set not
28 compatible with the information provided by MODIS-NDVI and FLUXNET data.

29 The consistency of the stepwise approach has been evaluated with back-compatibility checks
30 after the final step (step 3: assimilation of atmospheric CO₂ concentration). The optimized
31 model with the final set of parameters does not degrade the fit to MODIS-NDVI and
32 FLUXNET data that were assimilated in the first two steps (only minor changes of the



1 RMSEs occur; see Fig. 8). This result has two important consequences. Most importantly it
2 suggests that current state of the art LSMs (at least ORCHIDEE) have reached a level of
3 development where consistent assimilation of multiple data streams is finally possible. This
4 overcomes the most important limitation noted by Rayner (2010) to the widespread use of
5 CCDAS systems. At a more technical level it suggests that stepwise assimilation is a valid
6 and feasible approach. Although we only carried the estimated parameter uncertainties from
7 one step to the next (as a first simple approach), and not the full error variance-covariance
8 matrix, we were able to propagate enough information to maintain an optimal model-data fit
9 after the last step for the three data streams (see MacBean et al. (2016) for a more specific
10 analysis of this issue). However, not propagating the covariance terms may have a larger
11 impact for the reduction of the inferred parameter uncertainties (see for instance the large
12 parameter / flux error reduction in Fig. 9 / Fig. 11). The order of the different steps was
13 dictated by the number of parameters we choose to expose to each data stream, from only a
14 few phenology parameters for NDVI up to the largest set for atmospheric CO₂. Recall that
15 under the fundamental theory the order of assimilation is unimportant. Testing whether our
16 system meets this criterion is an important check on the robustness of the method but is not
17 technically feasible with the full-blown system; it is currently being tested with some smaller
18 models.

19 Most of the optimized parameter values have significantly changed compared to their prior
20 values, with a large error reduction for most (Fig. 9) that results in a strong constraint on the
21 simulated fluxes (Fig. 11). In the last step, the assimilation of atmospheric CO₂ data mainly
22 led to the optimization of respiration-related parameters, especially the regional soil carbon
23 multipliers ($K_{soilC,reg}$). Note that this was also the case for the BETHY-CCDAS, as described
24 in Rayner et al. (2005) (see their Table 2). This is linked to the difficult issue of representing
25 the effects of historical changes in land cover and land management as well as soil texture
26 effects on soil carbon dynamics, and the necessary choice of a standard spin-up procedure to
27 account for these effects. Ideally one would need to perform the optimization of the model
28 over a long historical period with LULCC and land management practices included and the
29 optimization of related parameters. However, this is not currently feasible at global scale and
30 uncertainties in the forcing would introduce as much difficulty as uncertainties in the initial
31 condition. The adjustment of the initial C pool contents is thus a logical compromise and
32 further investigations into the impact of the selected set-up (number of regions for $K_{soilC,reg}$,
33 their associated uncertainties) on the C fluxes simulated in the future are needed. Note that a



1 first improvement would be to include LULCC in the transient simulation (to define the initial
2 state) before the assimilation period.

3 Nonetheless, several limitations, inherent to the optimization of model parameters in a
4 CCDAS, need to be called to mind when evaluating these results (see also Rayner et al.,
5 2010). First, the structure of the land surface model (i.e. how biogeochemical processes are
6 represented) is critical. Any missing/misrepresented processes may have a direct impact and
7 thus lead to biases in the selected parameters. Note that this limitation could be even more
8 severe when using atmospheric CO₂ measurements, as these data provide a direct constraint
9 on the overall net C exchange between the atmosphere and the vegetation, thus including all
10 processes. As an example, the model sensitivity to atmospheric CO₂ increase (e.g. through the
11 parameters V_{cmax} and $G_{s,slope}$) could be non optimal as the current model version does not
12 include explicit nitrogen and phosphorus limitations on photosynthesis. Second, the chosen
13 set of observations does not provide specific constraints on long term C processes such as tree
14 mortality, disturbance effects, or C allocation within a plant. For instance Fig. 12 illustrates
15 that the optimized model may still significantly overestimate tropical forest biomass. The
16 assimilation of above-ground biomass or soil carbon stock observations (i.e. site-level
17 measurements or regional estimates) should thus provide critical complementary information
18 (see Thum et al., in revision for AFM).

19 To conclude, this work is a step forward in terms of multiple data streams assimilation that
20 opens new perspectives for a better understanding of the carbon cycle and better predictions
21 of the fate of the land carbon sink in the 21st century as a consequence of anthropogenic
22 changes. As ORCHIDEE is part of the IPSL earth system model the impact of the
23 optimization on future climate change predictions will be assessed in a future study. However,
24 we first need to run the ORCHIDAS with a longer atmospheric CO₂ record (i.e. several
25 decades) in order to provide stronger constraints on parameters controlling the impact of
26 climate extremes on the net carbon fluxes at continental to global scales, and the sensitivity of
27 photosynthesis to increasing CO₂ concentration. The optimized model will allow a more in-
28 depth investigation of the trend and inter-annual variations of land surface C fluxes at
29 continental to regional scales, as well as their driving mechanisms. It will offer a more
30 reliable and robust process-based diagnostic of the land C cycle that is compatible with
31 current major data streams. Overall, we have illustrated the benefit of combining multiple
32 data streams in a process-based model to optimize different processes of the model, related to



1 different temporal and spatial scales. The optimization will be updated regularly as new
2 processes are integrated into the ORCHIDEE model, such as for instance land management
3 (Naudts et al., 2015).

4

5 **Code availability**

6 The ORCHIDEE model code and the run environment are open source
7 (<http://forge.ipsl.jussieu.fr/orchidee>) and the associated documentation can be found at
8 <https://forge.ipsl.jussieu.fr/orchidee/wiki/Documentation>. Note that the tangent linear version
9 of the ORCHIDEE model has been generated using commercial software (TAF;
10 <http://www.fastopt.com/products/taf/taf.shtml>). For this reason, only the “forward” version of
11 the ORCHIDEE model is available for sharing. The optimization scheme (in Python) is
12 available through a dedicated web site for data assimilation with ORCHIDEE
13 (<http://orchidas.lsce.ipsl.fr/>). Nevertheless readers interested in running ORCHIDEE are
14 encouraged to contact the corresponding author for full details and latest bug fixes. Finally,
15 the source code of the LMDZ atmospheric transport model can be found at
16 <http://web.lmd.jussieu.fr/trac>.

17

18 **Appendix**

19 **A1. Ocean fluxes**

20 Figure A1 displays the air-sea fluxes from the statistical model.

21 **A2. Fire fluxes**

22 In order to account for fundamental differences between six fire flux categories provided by
23 the GFED product, we grouped these emissions into 3 types with specific treatments. The first
24 group includes C emissions from deforestation and peat fires, which are considered to be
25 permanent carbon lost to the atmosphere, at least over the considered time scales. These
26 fluxes are rescaled to an annual emission of 1.1 PgC.yr⁻¹ globally following typical values
27 reported in the literature for deforestation (Houghton R., 2003). The second group consists of
28 C emissions from agriculture and savannah fires, which are compensated by a C sink during
29 the regrowth of these biomes (i.e., savannah and some type of plants on the farmland). These



1 effects are not completely accounted for in ORCHIDEE as the model does not simulate
2 savannah and agriculture fire. Hence, the emissions over the whole period and for each pixel
3 become zero, but their seasonal variations are used. The final group includes emissions from
4 woodland and burnt forests. We considered that at steady state and for a given region certain
5 forests burn but that nearby forests are re-growing following older fires. We thus imposed
6 regrowth at the region scale given that the ORCHIDEE model version that we use does not
7 account for such regrowth. The main assumption is that over century time scale the
8 forest/woodland system is at steady state over a given region (few thousand square km), i.e.
9 there is no net deforestation. We selected an ensemble of small regions over which we
10 calculated the regrowth of these biomes. The derived emissions over the whole period and for
11 each region thus become zero; though we include their spatial and temporal variations. The
12 overall biomass burning flux considered in the CCDAS for the optimization process is the
13 sum of the three fluxes as described above.

14 **A3. Multipliers of the soil initial carbon pools**

15 Figure A2 provides the optimized values of the $K_{soilC,reg}$ parameters that optimize the initial
16 soil carbon pool sizes.

17 .

18 **Acknowledgements**

19 This work was mainly funded by the EU FP7 CARBONES project (contracts FP7-SPACE-
20 2009-1-242316), with also a small contribution from GEOCARBON project
21 (ENV.2011.4.1.1-1-283080). This work used eddy covariance data acquired by the
22 FLUXNET community and in particular by the following networks: AmeriFlux (U.S.
23 Department of Energy, Biological and Environmental Research, Terrestrial Carbon Program
24 (DE-FG02-04ER63917 and DE-FG02-04ER63911)), AfriFlux, AsiaFlux, CarboAfrica,
25 CarboEuropeIP, CarboItaly, CarboMont, ChinaFlux, Fluxnet-Canada (supported by CFCAS,
26 NSERC, BIOCAP, Environment Canada, and NRCan), GreenGrass, KoFlux, LBA, NECC,
27 OzFlux, TCOS-Siberia, USCCC. We acknowledge the financial support to the eddy
28 covariance data harmonization provided by CarboEuropeIP, FAO-GTOS-TCO, iLEAPS, Max
29 Planck Institute for Biogeochemistry, National Science Foundation, University of Tuscia,
30 Université Laval and Environment Canada and US Department of Energy and the database
31 development and technical support from Berkeley Water Center, Lawrence Berkeley National
32 Laboratory, Microsoft Research eScience, Oak Ridge National Laboratory, University of



1 California-Berkeley, University of Virginia. P. C. acknowledges support from the European
2 Research Council through Synergy grant ERC-2013-SyG-610028 “IMBALANCE-P ». The
3 MODIS MOD09CMG collection 5 surface reflectance data are freely available to download
4 from the Land Processes Distributed Active Archive Center (LP DAAC) data portal
5 (<https://lpdaac.usgs.gov>). The authors wish to thank M. Jung for providing access to the GPP
6 MTE data, which were downloaded from the GEOCARBON data portal ([https://www.bgc-
7 jena.mpg.de/geodb/projects/Data.php](https://www.bgc-jena.mpg.de/geodb/projects/Data.php)). The authors are also grateful to computing support and
8 resources provided at LSCE.

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1 Tables

- 2 Table 1. Parameters description, generality (PFT dependent, global, specific to FLUXNET
 3 sites or for a set of regions) and data stream(s) that were used to constrain them.

Parameter	Description	Dependent	Constraint
V_{cmax}	Maximum carboxylation rate ($\mu\text{mol}\cdot\text{m}^{-2}\cdot\text{s}^{-1}$)	PFT	Flux, CO ₂
$G_{s,slope}$	Ball-Berry slope	PFT	Flux, CO ₂
$c_{T,opt}$	Optimal photosynthesis temperature (°C)	PFT	Flux, CO ₂
SLA	Specific leaf area ($\text{m}^2\cdot\text{g}^{-1}$)	PFT	Flux, CO ₂
$K_{LAI,happy}$	LAI threshold to stop using carbohydrate reserves	PFT	Sat, Flux, CO ₂
$K_{pheno,crit}$	Multiplicative parameter of the threshold that determines the start of the growing season	PFT	Sat, Flux, CO ₂
$L_{age,crit}$	Average critical age of leaves (days)	PFT	Sat, Flux, CO ₂
$C_{T,sen}$	Temperature threshold for senescence (°C)	PFT	Sat, Flux, CO ₂
$F_{stress,h}$	Parameter reducing the hydric limitation of photosynthesis	PFT	Flux, CO ₂
MR_{offset}	Offset of the temperature dependence of maintenance respiration	Global	Flux, CO ₂
$Q10$	Temperature dependency of heterotrophic respiration	Global	Flux, CO ₂
HR_{Hc}	Offset of the soil/litter moisture control function	Global	Flux, CO ₂
$K_{soilC,site}$	Multiplicative factor of the initial soil carbon pools	per Site	Flux
$K_{soilC,reg}$		36 regions	CO ₂
K_{albedo}	Multiplicative factor of the vegetation albedo	Global	Flux, CO ₂

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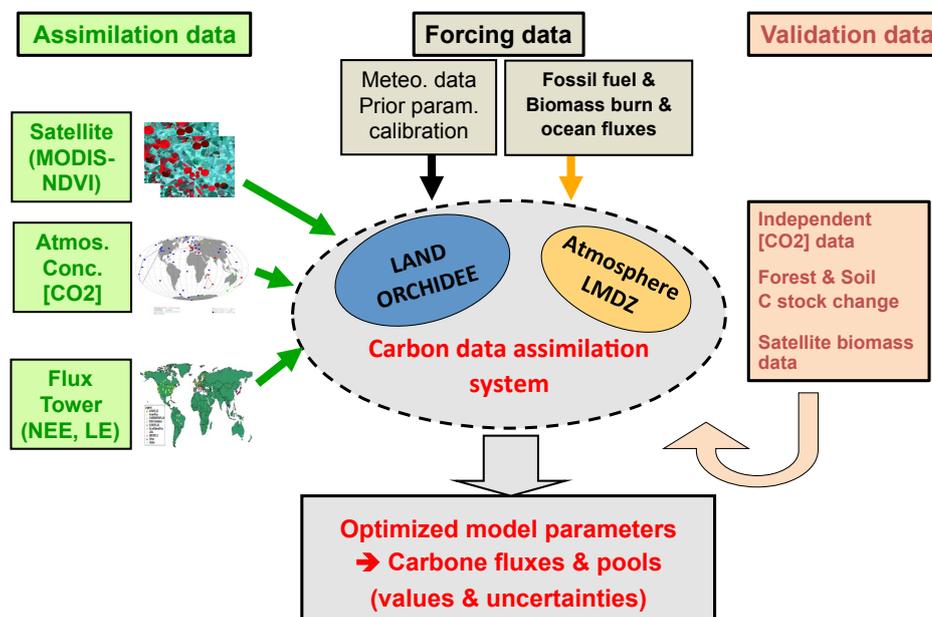
- 1 Table 2. Prior information for all parameters except initial soil C pool multipliers: prior value,
- 2 uncertainty and range of variation for the different plant functional types (Tropical Broadleaf
- 3 Evergreen/Raingreen forests (TrBE / TrBR), Temperate Needle leaf / Broadleaf Evergreen
- 4 forests (TeNE, TeBE), Temperate Broadleaf Deciduous forest (TeBD), Boreal Needle leaf
- 5 Evergreen forests (BoNE), Boreal Broadleaf / Needle leaf Deciduous forests (BoBD / BoND)
- 6 and C3 grassland.

Parameter	Plant functional type								
	TrBE	TrBR	TeNE	TeBE	TeBD	BoNE	BoBD	BoND	NC3
V_{cmax}	65 ± 24 [35; 95]	65 ± 24 [35; 95]	35 ± 12.8 [19; 51]	45 ± 16 [25; 65]	55 ± 20 [30; 80]	35 ± 12.8 [19; 51]	45 ± 16 [25; 65]	35 ± 12.8 [19; 51]	70 ± 25.6 [38; 102]
$G_{s,slope}$	6.0 ± 2.4 [6; 12]	6.0 ± 2.4 [6; 12]	6.0 ± 2.4 [6; 12]	6.0 ± 2.4 [6; 12]	6.0 ± 2.4 [6; 12]	6.0 ± 2.4 [6; 12]	6.0 ± 2.4 [6; 12]	6.0 ± 2.4 [6; 12]	6.0 ± 2.4 [6; 12]
$C_{T,opt}$	37 ± 6.4 [29; 45]	37 ± 6.4 [29; 45]	25 ± 6.4 [17; 33]	32 ± 6.4 [24; 40]	26 ± 6.4 [18; 34]	25 ± 6.4 [17; 33]	25 ± 6.4 [17; 33]	25 ± 6.4 [17; 33]	27.25 ± 6.4 [19.25; 35.25]
SLA	0.015 ± 0.0092 [0.007; 0.03]	0.026 ± 0.0148 [0.013; 0.05]	0.009 ± 0.0064 [0.004; 0.02]	0.02 ± 0.012 [0.01; 0.04]	0.026 ± 0.0148 [0.013; 0.05]	0.009 ± 0.0064 [0.004; 0.02]	0.026 ± 0.0148 [0.013; 0.05]	0.009 ± 0.0064 [0.004; 0.02]	0.026 ± 0.0148 [0.013; 0.05]
$K_{LAI,happy}$	0.50 ± 0.14 [0.35; 0.70]	0.50 ± 0.14 [0.35; 0.70]	0.50 ± 0.14 [0.35; 0.70]	0.50 ± 0.14 [0.35; 0.70]	0.50 ± 0.14 [0.35; 0.70]	0.50 ± 0.14 [0.35; 0.70]	0.50 ± 0.14 [0.35; 0.70]	0.50 ± 0.14 [0.35; 0.70]	0.50 ± 0.14 [0.35; 0.70]
$K_{pheno,crit}$	—	1.0 ± 0.44 [0.7; 1.8]	—	—	1.0 ± 0.44 [0.7; 1.8]	—	1.0 ± 0.44 [0.7; 1.8]	1.0 ± 0.44 [0.7; 1.8]	1.0 ± 0.44 [0.7; 1.8]
$L_{age,crit}$	730 ± 192 [490; 970]	180 ± 48 [120; 240]	910 ± 240 [610; 1210]	730 ± 192 [490; 970]	180 ± 48 [120; 240]	910 ± 240 [610; 1210]	180 ± 48 [120; 240]	180 ± 48 [120; 240]	120 ± 60 [30; 180]
$C_{T,sen}$	—	—	—	—	12 ± 8 [2; 22]	—	7 ± 8 [-3; 17]	2 ± 8 [-8; 12]	-1.375 ± 8 [-11.375; 9.375]
$F_{stress,h}$	6.0 ± 3.2 [2; 10]	6.0 ± 3.2 [2; 10]	6.0 ± 3.2 [2; 10]	6.0 ± 3.2 [2; 10]	6.0 ± 3.2 [2; 10]	6.0 ± 3.2 [2; 10]	6.0 ± 3.2 [2; 10]	6.0 ± 3.2 [2; 10]	6.0 ± 3.2 [2; 10]
MR_{offset}	1.0 ± 0.6 [0.5; 2.0]								
$Q10$	1.99372 ± 0.8 [1.0; 3.0]								
HR_{fjc}	-0.29 ± 0.24 [-0.59; 0.01]								
K_{albedo}	1.0 ± 0.16 [0.8; 1.2]								



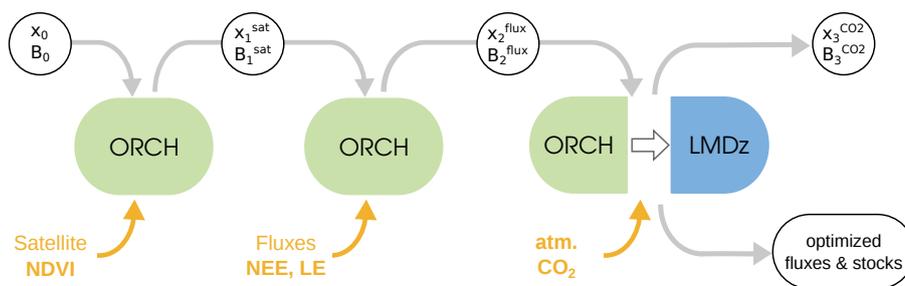
1 **Figures**

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Figure 1. Schematic of the ORCHIDEE Carbon Cycle Data Assimilation System (ORCHIDAS).



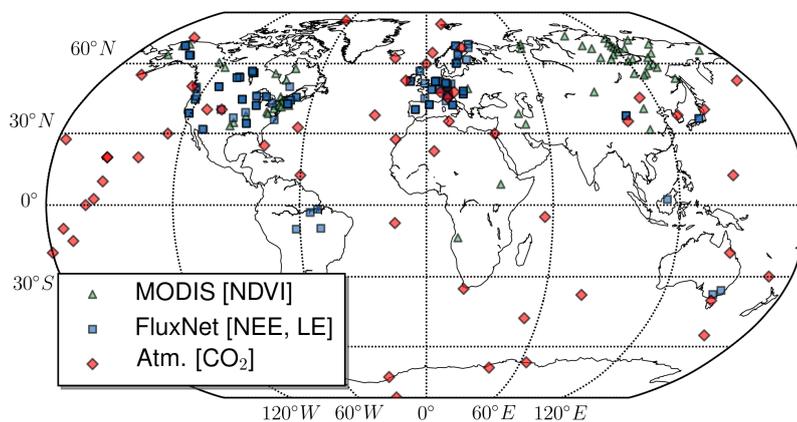
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2 Figure 2. Illustration of the step-wise data assimilation approach used for the assimilation of
 3 multiple data streams in the ORCHIDEE-CCDAS. The list of parameters for each step is
 4 summarized in Table 1.

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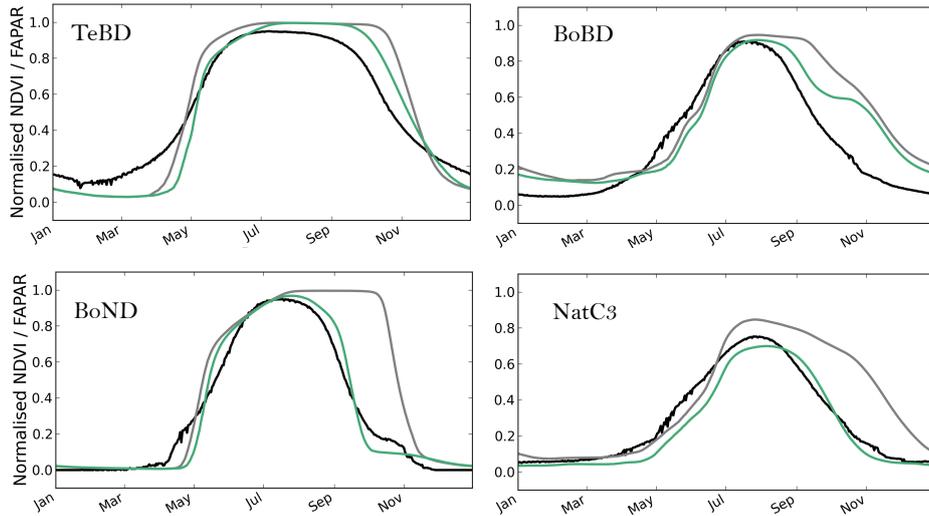
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9 Figure 3: Location of the different observations used for each data stream assimilated in the
 10 system: MODIS-NDVI measurements, FLUXNET sites with NEE and LE measurements and
 11 atmospheric CO₂ stations.

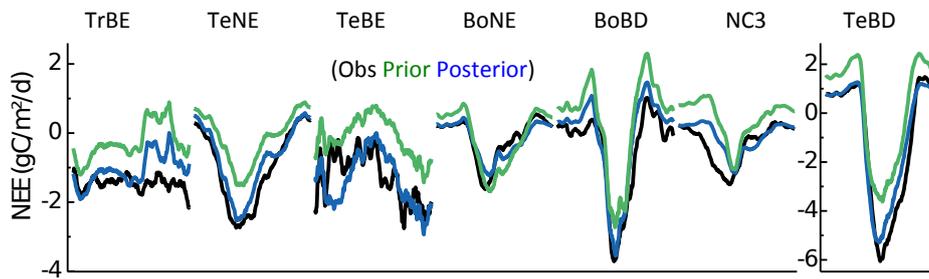


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2 Figure 4. Mean seasonal cycle (2000-2008) of the normalised modelled FAPAR before and
 3 after optimisation, compared to that of the MODIS NDVI data, for the temperate and boreal
 4 deciduous PFTs (TeBD, BoBD, BoND and NatC3). Black = MODIS NDVI data; Grey =
 5 prior simulation (default ORCHIDEE parameters); Green = posterior multi-site optimisation.

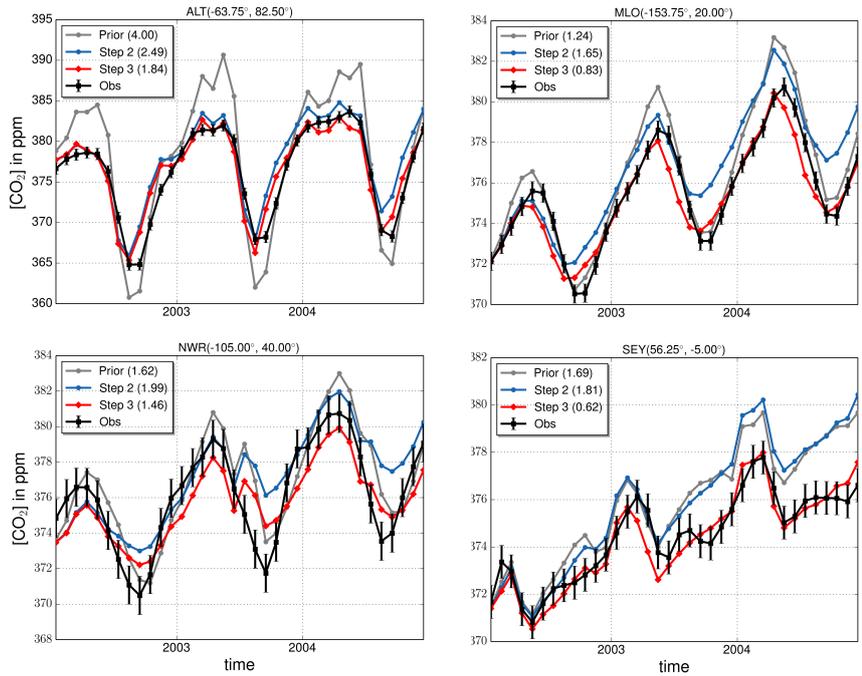
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9 Figure 5: Mean seasonal cycle of the Net Carbon Ecosystem Exchange (NEE) for the
 10 different plant functional type optimize in Step 2 of the assimilation. The mean across all sites
 11 for a given PFT is provided for the observations (black), the prior ORCHIDEE (grey), the
 12 posterior of step 1 (green) and the posterior of step 2 (blue).



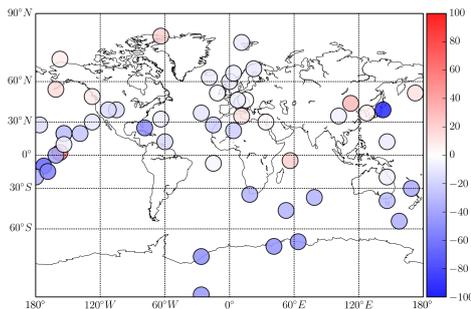
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2 Figure 6: Monthly mean atmospheric CO₂ concentrations after step 3 of the optimization, for
 3 several stations over the period 2002-2004 of the optimization. The observations (black), the
 4 prior model (grey) and the posterior model after step 2 (blue) and step 3 (red) are displayed.
 5 Numbers in parenthesis correspond to RMSEs.

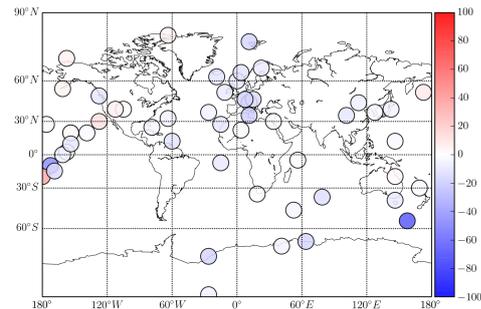
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a) Seasonal amplitude: relative changes



b) Length of CUP: relative changes



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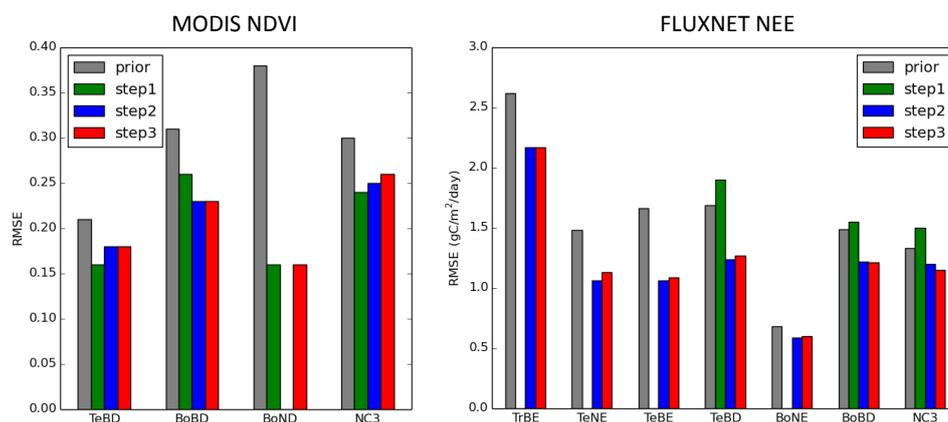
1 Figure 7: Changes in the mean seasonal cycle of the atmospheric CO₂ concentrations after
 2 step 3 of the optimization at all atmospheric stations. Left: Relative changes (in percentage)
 3 between the prior and posterior absolute model-data differences for the amplitude of the
 4 seasonal cycle. Right: Same metric but for the length of the Carbon Uptake Period (CUP),
 5 measured as the sum of the days when the de-trended concentrations are negative (see text).

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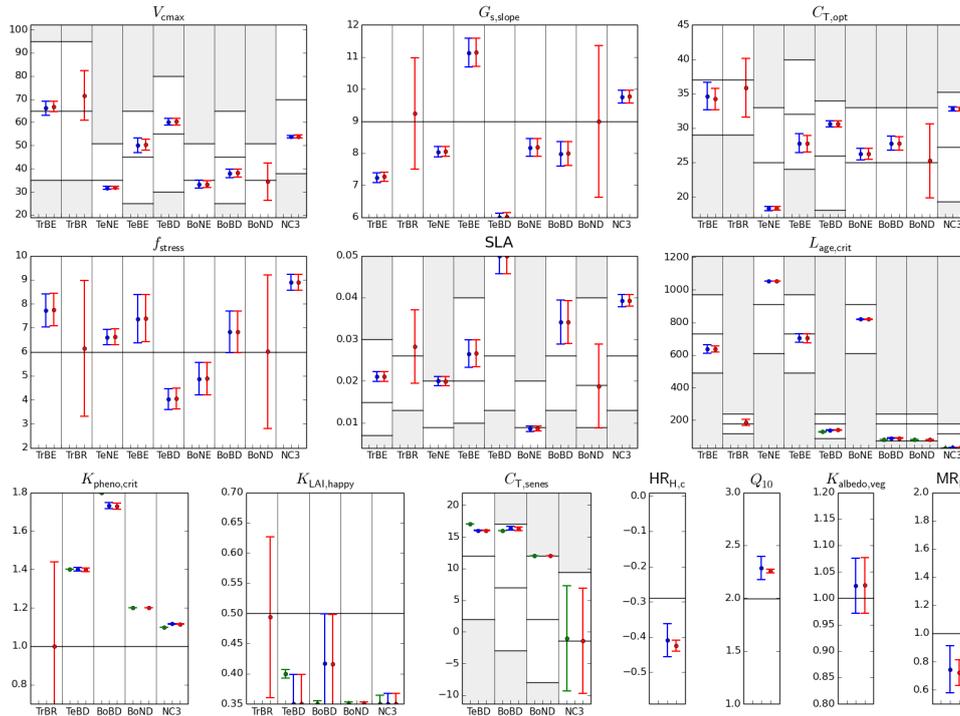
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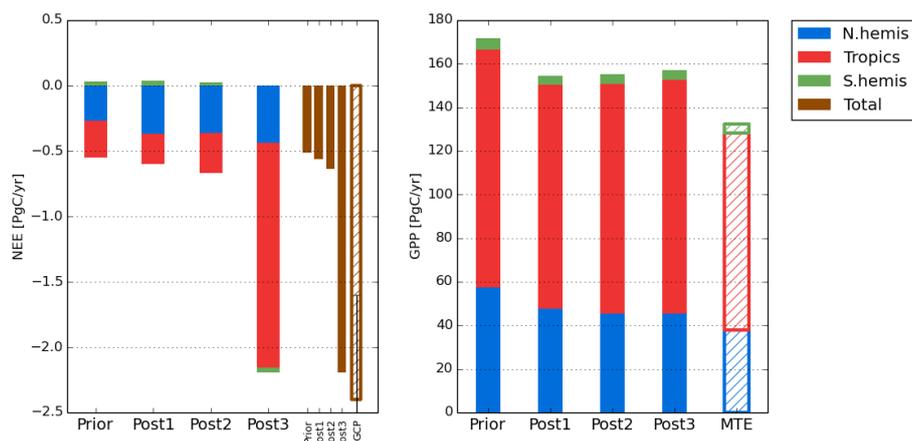
10 Figure 8: RMSE between model outputs and observations for two types of observations:
 11 MODIS-NDVI on the left and FluxNet-NEE on the right, for different Plant Functional Types
 12 (PFT: TrBE, TeNE, TeBE, TeBD, BoBD, BoND, NC3) and for the prior model simulation
 13 and the posterior of each step of the assimilation framework. Missing bars correspond to the
 14 fact that no data were available to constrain a given PFT.

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 2 Figure 9: Prior and posterior parameter values and uncertainties for a set of optimized
 3 parameters (9 PFT dependent and 4 non-PFT dependent). The prior value corresponds to the
 4 horizontal black line and the physical allowed range of variation to the “y” range (i.e. the
 5 white zone). For PFT-dependent parameters, there are 9 sub-plots corresponding to PFTs that
 6 were optimized (except for K_{pheno_crit} with only 5 PFTs). For each parameter, there are 3
 7 estimated values for the three successive steps: step1: assimilation of MODIS-NDVI data
 8 (green symbol); step2: adding FLUXNET data (blue symbol); step3: adding atmospheric CO₂
 9 data (red symbol). The parameter values are depicted with the symbols and the estimated
 10 uncertainties with the vertical line (\pm sigma).

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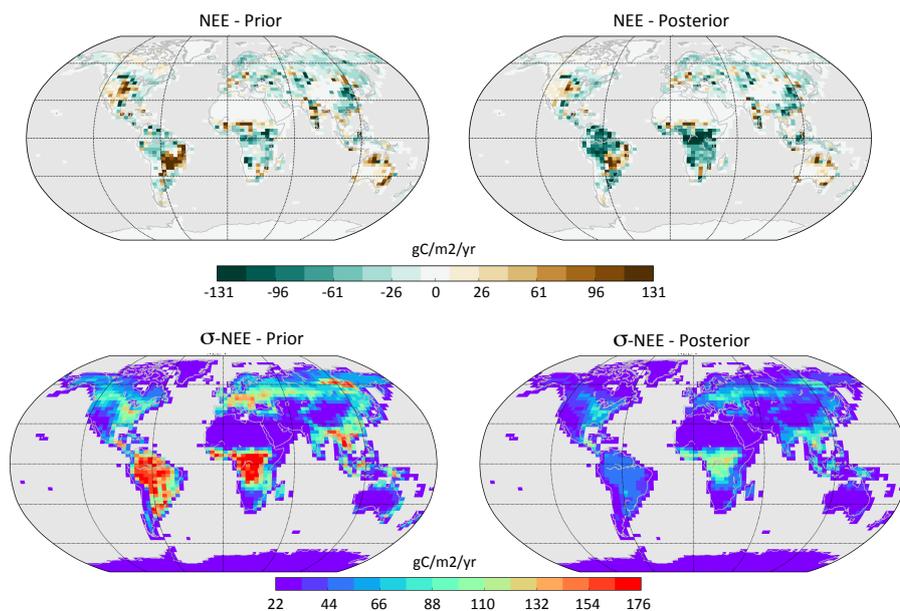
2 Figure 10: Left: Net Ecosystem Exchange (NEE) for three regions (North of 35°N, Tropics,
3 South of 35°S) for the prior model, and after each step of the optimizations (mean over 2002-
4 2004). The total NEE is indicated with the vertical brown bar and compared to the Global
5 Carbon Project (GCP) estimate for the same period (Le Quéré et al. 2015). Right: same but
6 for Gross Primary Production where the data driven estimate (MTE product using FluxNet
7 data; Jung et al., 2009) is provided for comparison.

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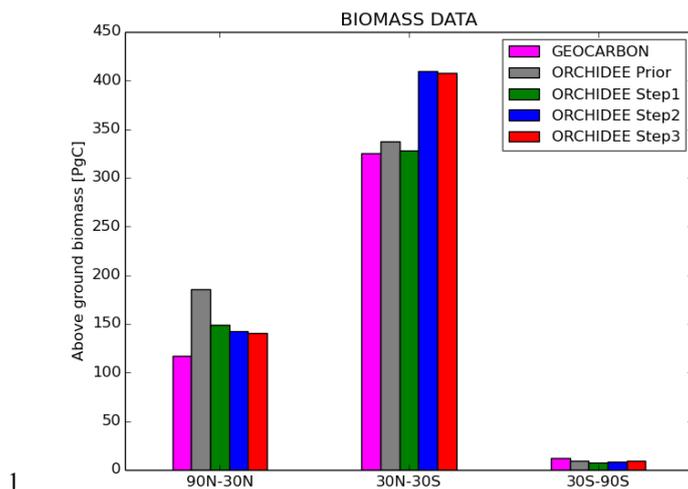
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3 Figure 11: Simulated annual net carbon exchange (NEE) for the land ecosystems prior to any
4 optimization (left column) and after step 3 of the optimization process (right column). Upper
5 figures correspond to the mean NEE (in $\text{gC}\cdot\text{m}^{-2}\cdot\text{y}^{-1}$) over the assimilation period (2001-2003)
6 and lower figures to the associated monthly flux uncertainties (averaged over the whole
7 period and expressed in $\text{gC}\cdot\text{m}^{-2}\cdot\text{y}^{-1}$) due to the parameter uncertainties (see text).

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2 Figure 12: Above ground forest biomass data for the prior ORCHIDEE model and after step
3 1, step 2 and step 3 of the optimization process. Estimates from satellite observations (Santoro
4 et al., 2015) and referred as “GEOCARBON” (following the EU-GEOCARBON project) are
5 provided for comparison.

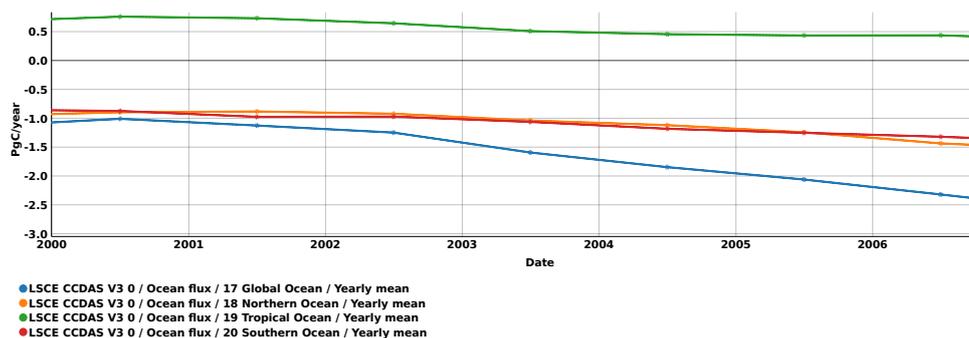
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1 Appendix figures

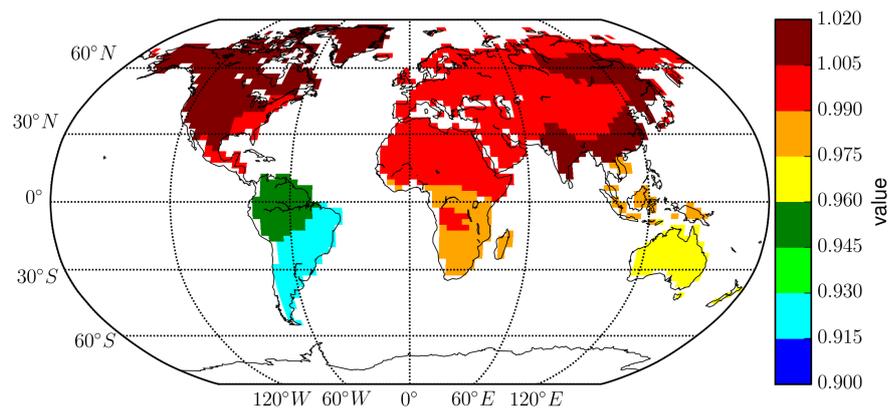
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4 Figure A1: CO₂ air-sea fluxes including the natural ocean out-gazing, used as input to the
5 ORCHIDEE-CCDAS and estimated from a neural network approach using observed pCO₂
6 data (see main text, section 2.5.1). The Northern, Tropical and Southern ocean contributions
7 to the global ocean flux (blue curve) are also provided.

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10 Figure A2: Map of the posterior values of the coefficient scaling the initial carbon pool sizes
11 per regions.

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