

Model component name	Notation	Flux name	Discrete formulations	Continuous formulation
Production store	S	Precipitation in the store	$P_s = \frac{x_1 \left(1 - \left(\frac{S}{x_1}\right)^\alpha\right) \tanh \frac{P_n}{x_1}}{1 + \frac{S}{x_1} \tanh \frac{P_n}{x_1}}$	$P_s = P_n \left(1 - \left(\frac{S}{x_1}\right)^\alpha\right)$
		Evaporation from the store	$E_s = \frac{\left(2S - \frac{S^\alpha}{x_1}\right) \tanh \frac{E_n}{x_1}}{1 + \left(1 - \frac{S}{x_1}\right) \tanh \frac{E_n}{x_1}}$	$E_s = E_n \left(2 \frac{S}{x_1} - \left(\frac{S}{x_1}\right)^\alpha\right)$
		Percolation	$\text{Perc} = S \left(1 - \left(1 + \left(\nu \frac{S}{x_1}\right)^{\beta-1}\right)^{\frac{1}{1-\beta}}\right)$	$\text{Perc} = \frac{x_1^{1-\beta}}{(\beta-1)U_t} \nu^{\beta-1} S^\beta$
Unit hydrograph	UH_2	UH inflow	$P_r = P_n - P_s + \text{Perc}$	–
		UH outflow	$Q_{uh} = P_r * UH_2^{(*)}$ (convolution product)	
Nash cascade	$S_{h,1}$	Precipitation inflow in store 1	$P_r = P_n - P_s + \text{Perc}$	$P_r = P_n - P_s + \text{Perc}$
		Store 1 outflow	$Q_{Sh,1} = S_{h,1} \left(1 - \exp\left(\frac{1-nres}{x_4}\right)\right)$	$Q_{Sh,1} = \frac{nres-1}{x_4} S_{h,1}$
	$S_{h,2}$	Store 2 inflow	$Q_{Sh,1}$	$Q_{Sh,1}$
		Store 2 outflow	$Q_{Sh,2} = S_{h,2} \left(1 - \exp\left(\frac{1-nres}{x_4}\right)\right)$	$Q_{Sh,2} = \frac{nres-1}{x_4} S_{h,2}$
	\vdots	\vdots	\vdots	\vdots
	$S_{h,n}$	Store nres inflow	$Q_{Sh,nres-1}$	$Q_{Sh,nres-1} = \frac{nres-1}{x_4} S_{h,nres-1}$
Store nres outflow		$Q_{uh} = S_{h,nres} \left(1 - \exp\left(\frac{1-nres}{x_4}\right)\right)$	$Q_{uh} = \frac{nres-1}{x_4} S_{h,nres}$	
Routing store	R	Routing store inflow	$Q_9 = \Phi Q_{uh}$	$Q_9 = \Phi Q_{uh}$
		Inter-catchment exchanges	$F = \frac{x_2}{x_3^\omega} R^\omega$	$F = \frac{x_2}{x_3^\omega} R^\omega$
		Routing store outflow	$Q_r = R \left(1 - \left(1 + \left(\frac{R}{x_3}\right)^{\gamma-1}\right)^{\frac{1}{1-\gamma}}\right)$	$Q_r = \frac{x_3^{1-\gamma}}{(\gamma-1)U_t} R^\gamma$
Output flow	$Q = Q_r + Q_d$	Routing store outflow	Q_r	Q_r
		Direct flow	$Q_d = \max(0; (1 - \Phi)Q_{uh} - F)$	$Q_d = \max(0; (1 - \Phi)Q_{uh} - F)$